

Studying the CME with the AMPT model

Guo-Liang Ma (马国亮)



Shanghai Institute of Applied Physics,
Chinese Academy of Sciences

Outline

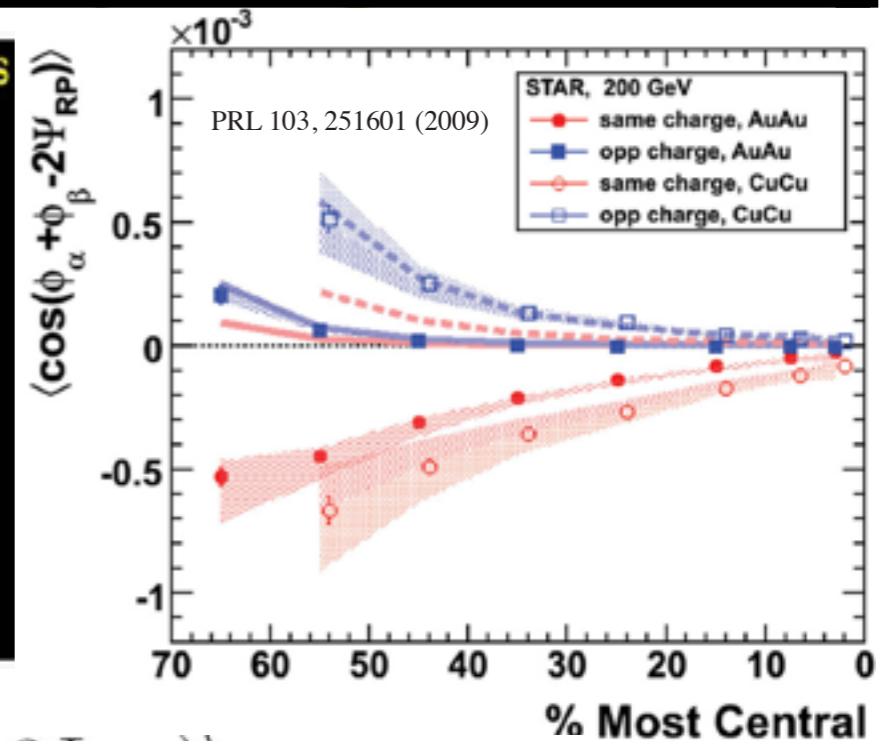
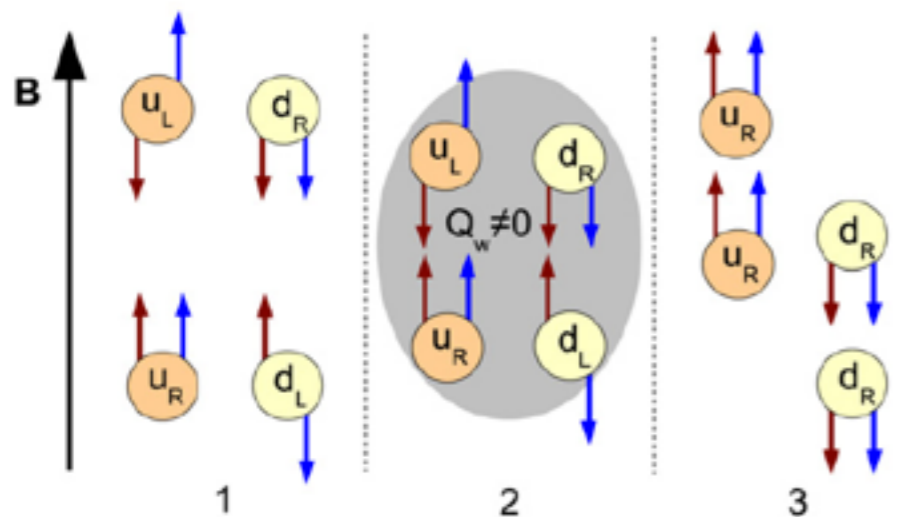
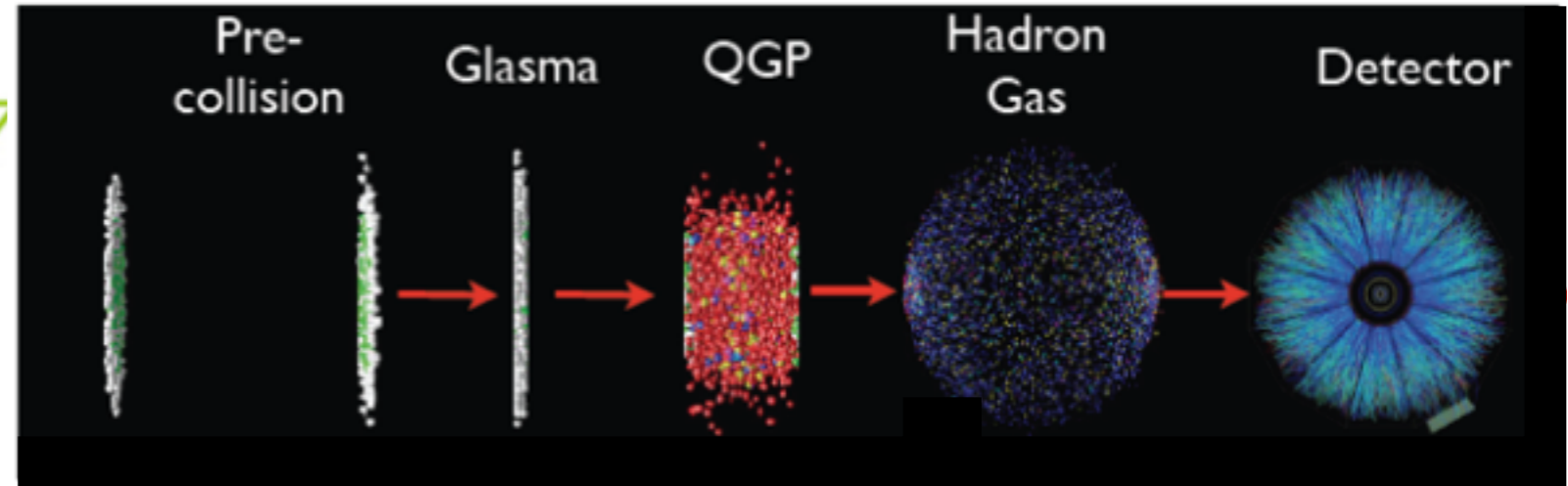
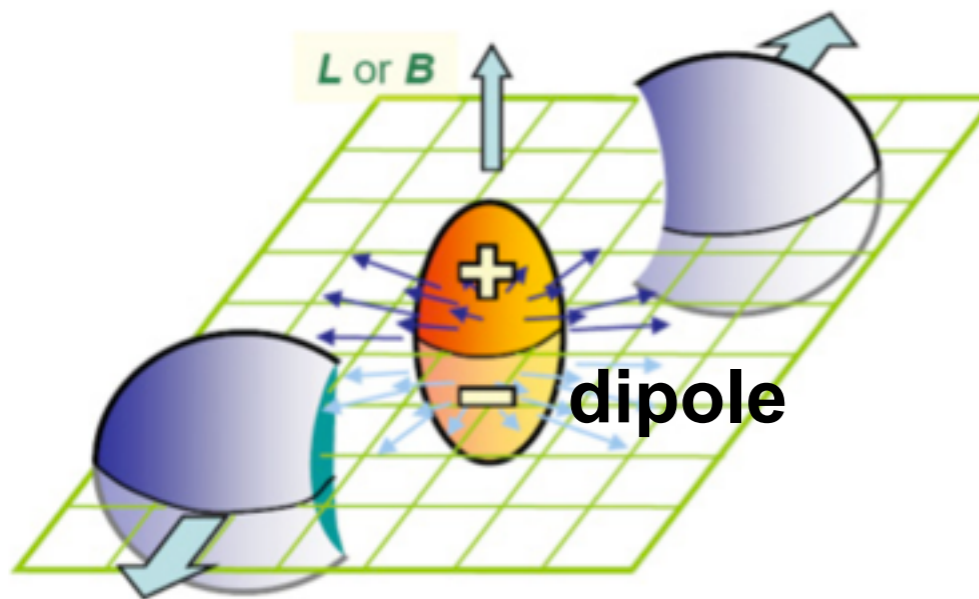
- **Introduction**
- **AMPT results on CME at RHIC**
- **AMPT results on CME at LHC**
- **AMPT simulations on Isobar exp.**
- **Summary**

(I)AMPT results on CME

[1] G.-L. Ma and B. Zhang, PLB 700 (2011) 39 [arXiv: 1101.1701].

[2] Q. -Y. Shou, G.-L. Ma and Y. -G. Ma, PRC 90 (2014) 047901 [arXiv: 1405.2668].

Chiral Magnetic Effect \Rightarrow dipole charge separation



• RHIC data are consistent with the CME expectation that charges could be distributed asymmetrically w.r.t reaction plane, i.e. dipole charge separation.

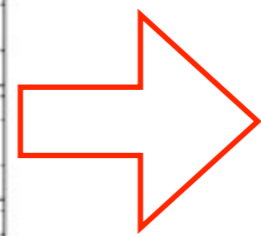
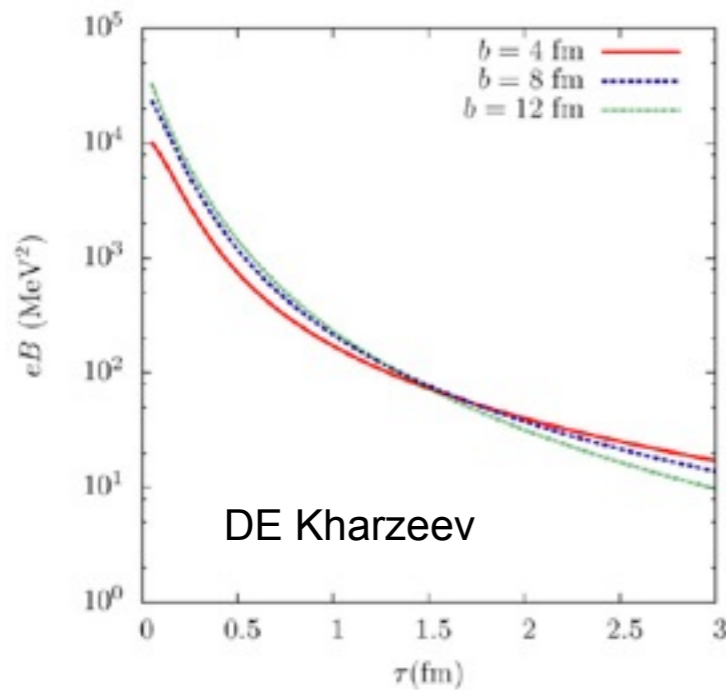
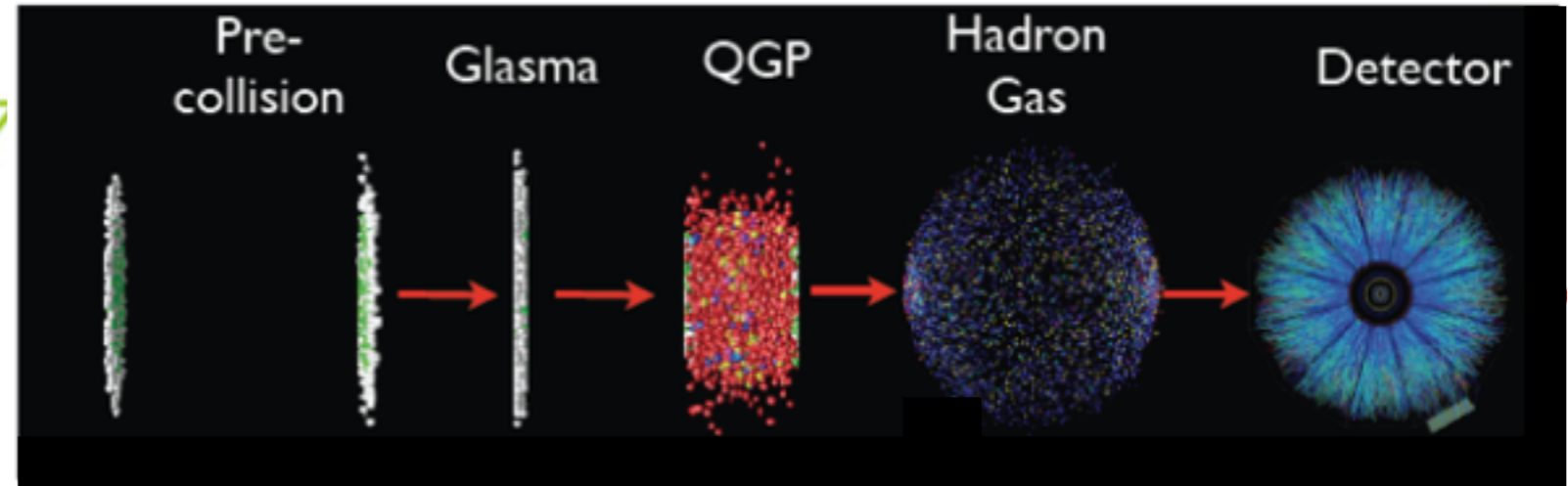
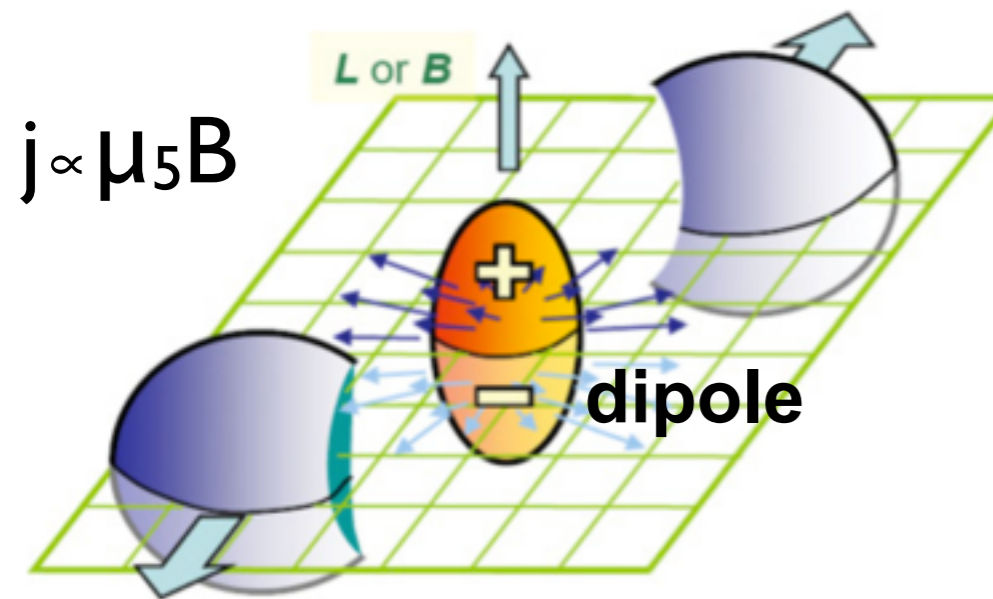
$$\langle \cos(\phi_\alpha + \phi_\beta - 2\Psi_{RP}) \rangle = [\langle v_{1,\alpha} v_{1,\beta} \rangle + B_{in}] - [\langle a_\alpha a_\beta \rangle + B_{out}]$$

Directed flow: vanishes if measured in a symmetric rapidity range

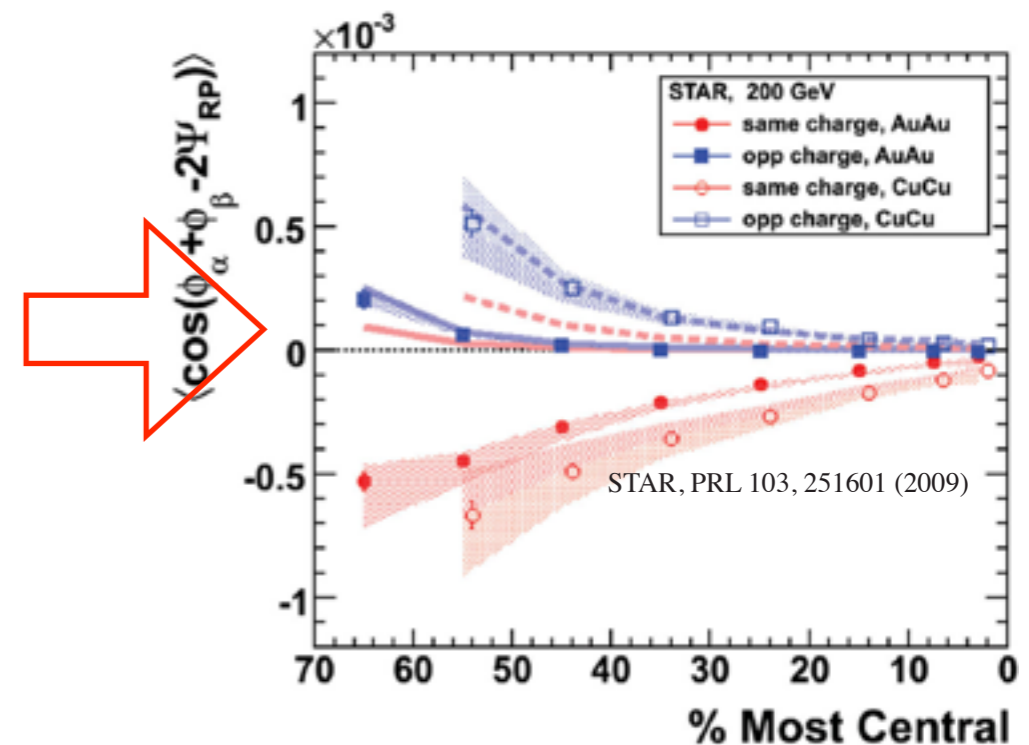
Non-flow/non-parity effects: largely cancel out

P-even quantity: still sensitive to charge separation

Can CME signal survive from final state interactions?



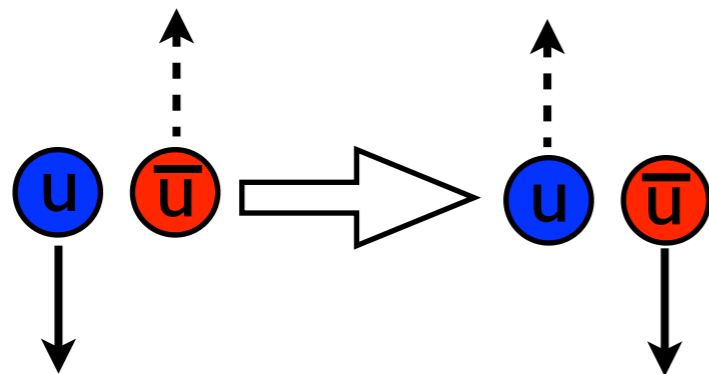
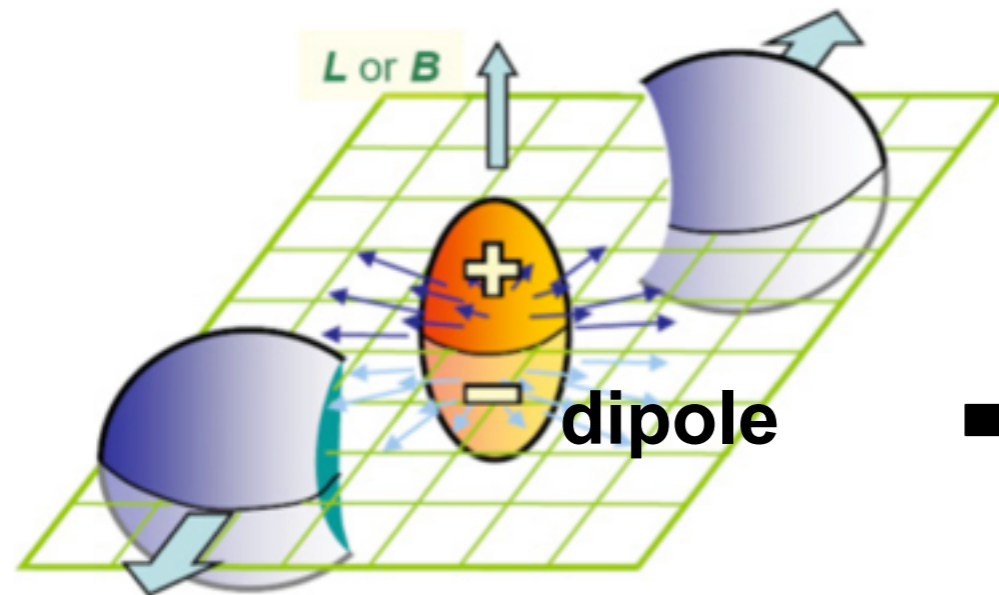
final state interaction effects



- The lifetime of B field is short. \rightarrow The CME is an initial effect.
- Final state interaction effects on the CME could be important.

The AMPT model with dipole charge separation

G.-L. Ma, B. Zhang, PLB 700 (2011) 39

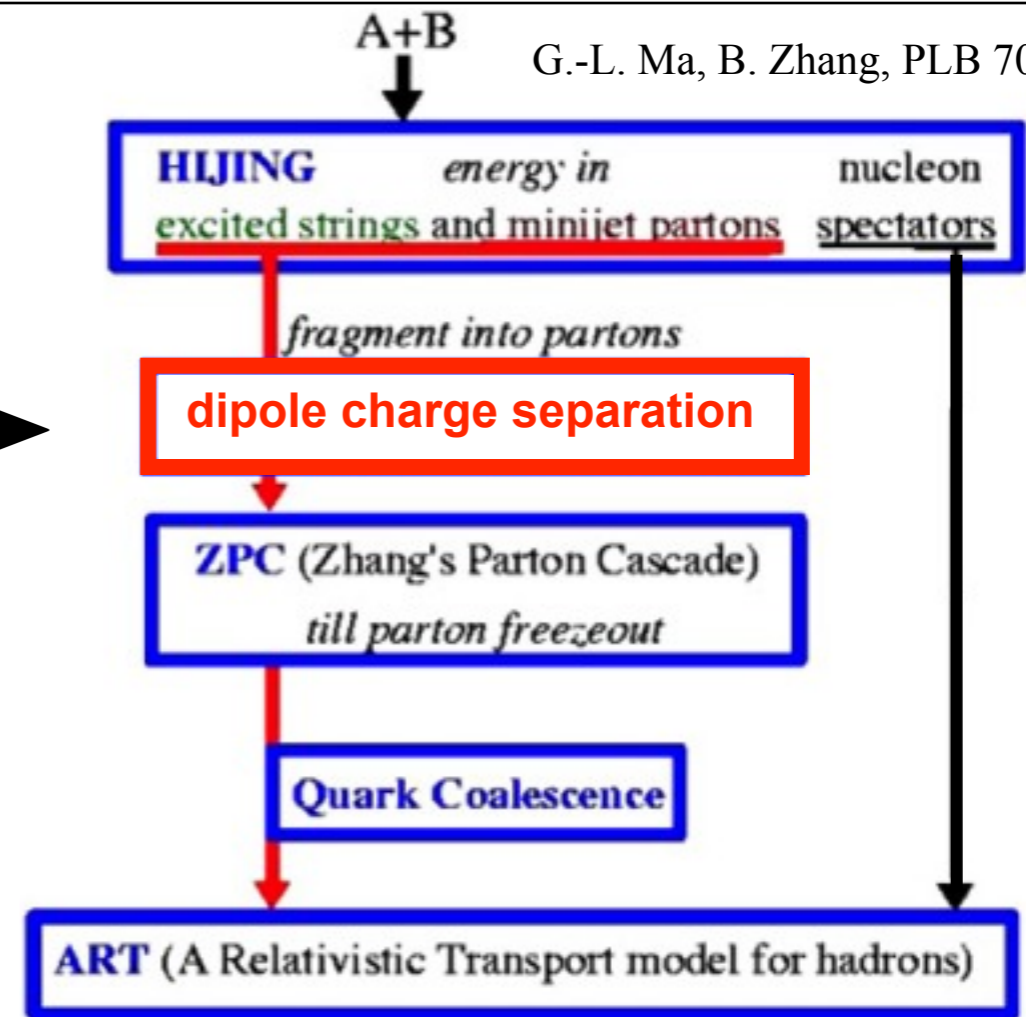


$$f^0 = (N^+_{\text{upward}} - N^+_{\text{downward}}) / (N^+_{\text{upward}} + N^+_{\text{downward}})$$

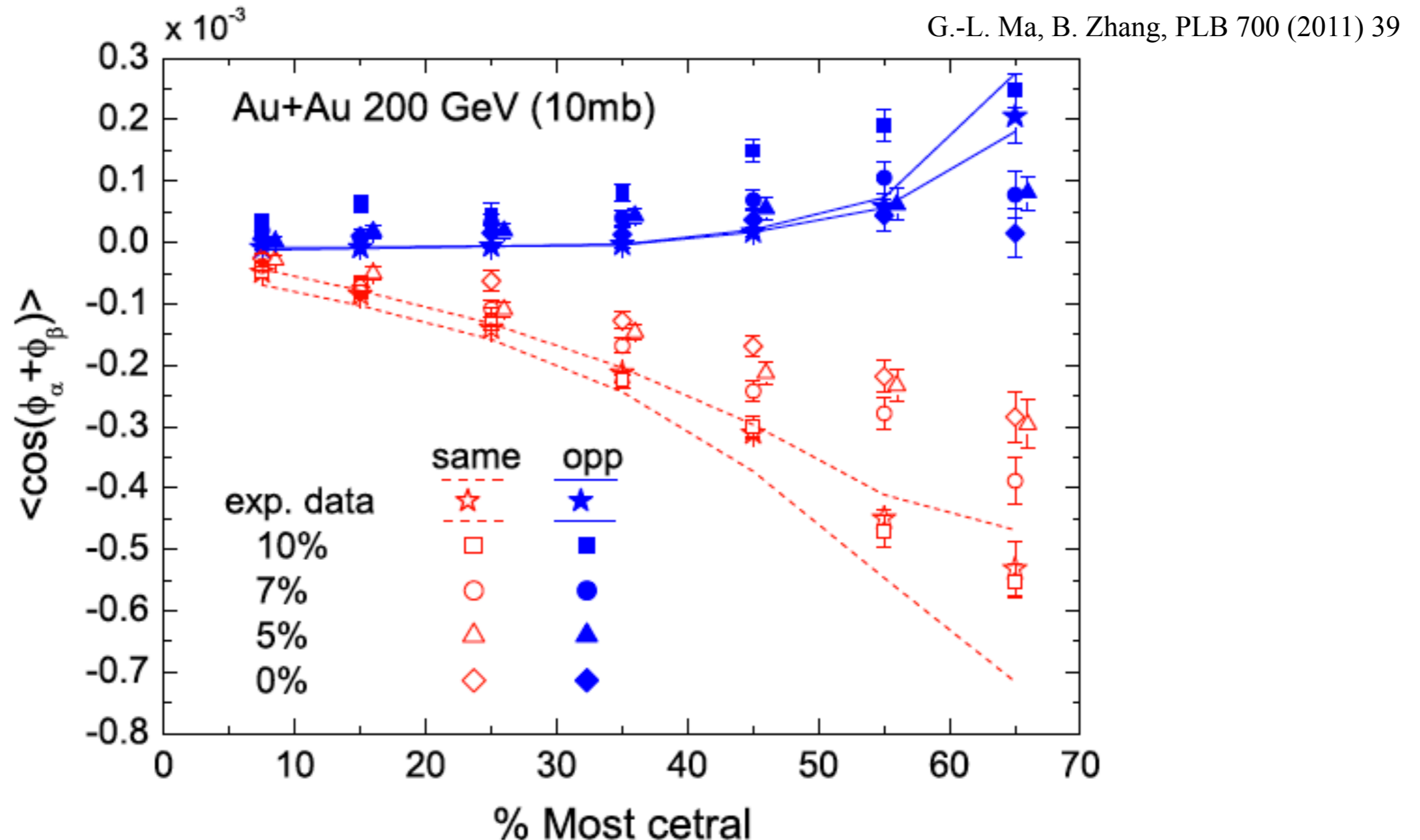
- We include initial dipole charge separation mechanism into AMPT model.

We switch the p_y values of a percentage of the downward moving u quarks with those of the upward moving u -bar quarks, and likewise for d -bar and d quarks, where the percentage is a relative ratio with respect to the total number of quarks.

- We focus on final state effects on the charge separation, including parton cascade, hadronization, resonance decays after \vec{B} and \vec{E} vanish quickly.
- Resonance decays only are employed to ensure charge conservation, without hadron rescatterings.

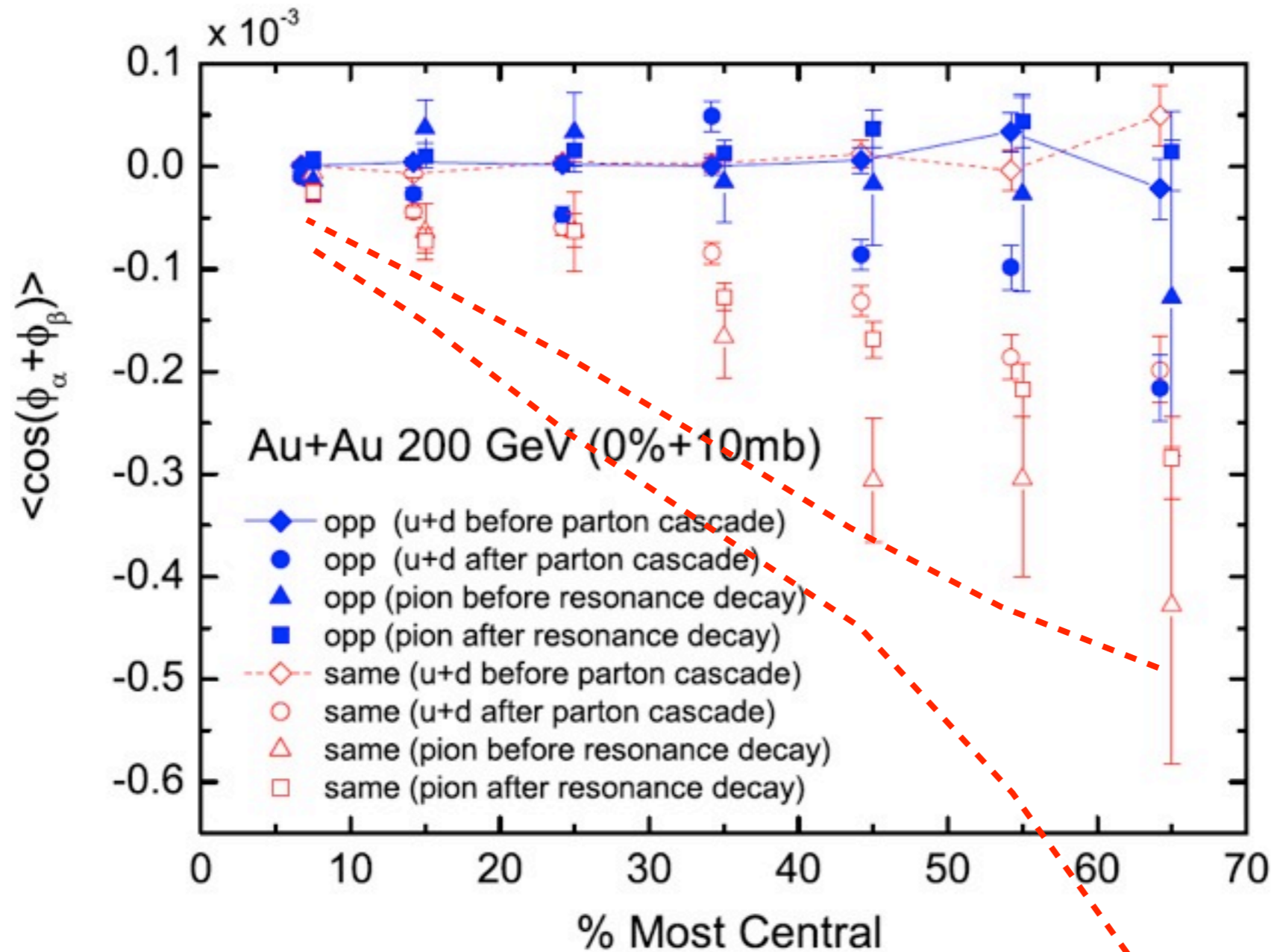


AMPT results on $\langle \cos(\varphi_\alpha + \varphi_\beta) \rangle$



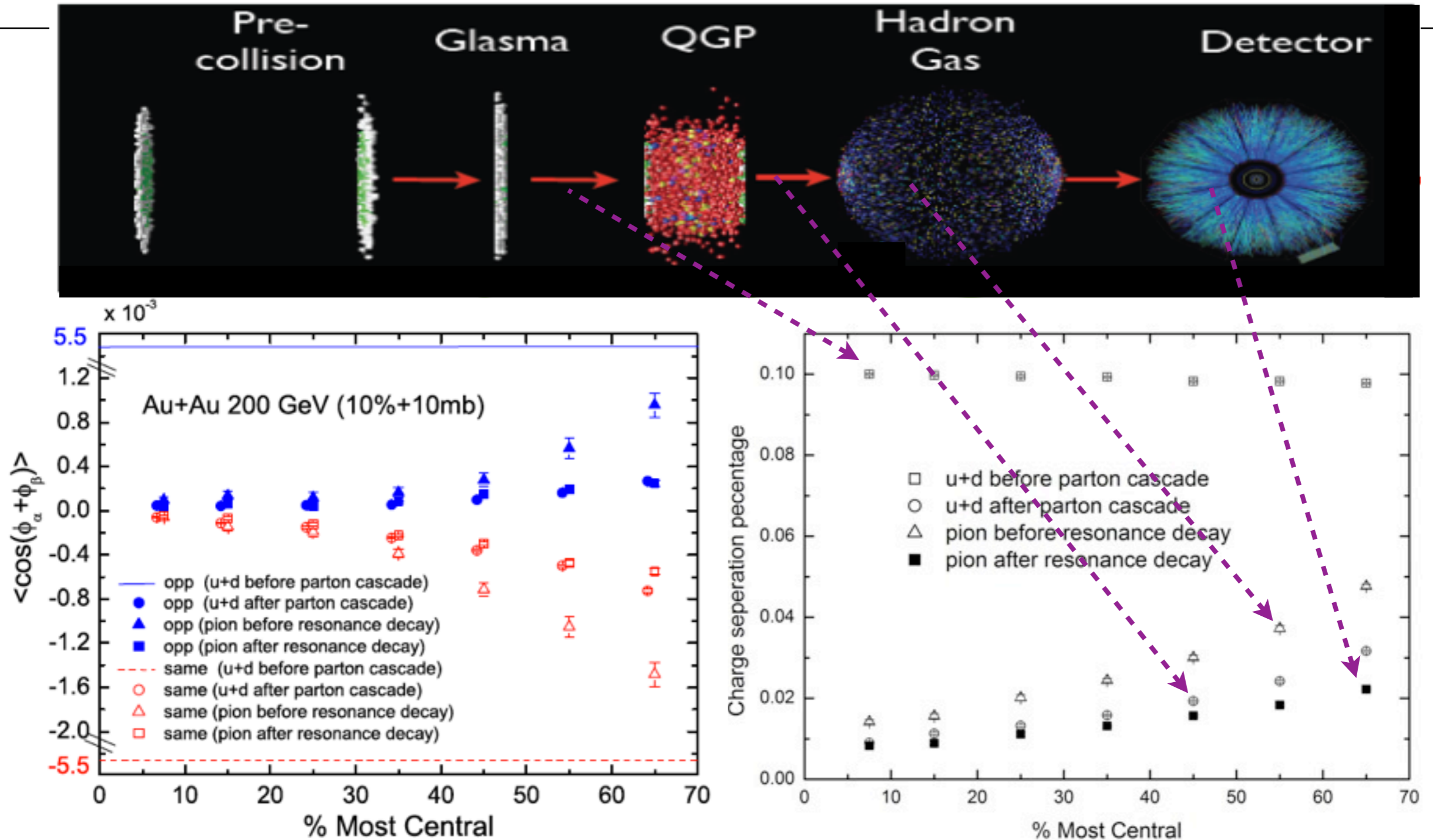
- Original AMPT (0%) underestimates exp. data.
- 10% initial charge separation can describe same-charge data.
- But 10% only can describe opposite-charge data for 60-70%.

Original AMPT=Background?



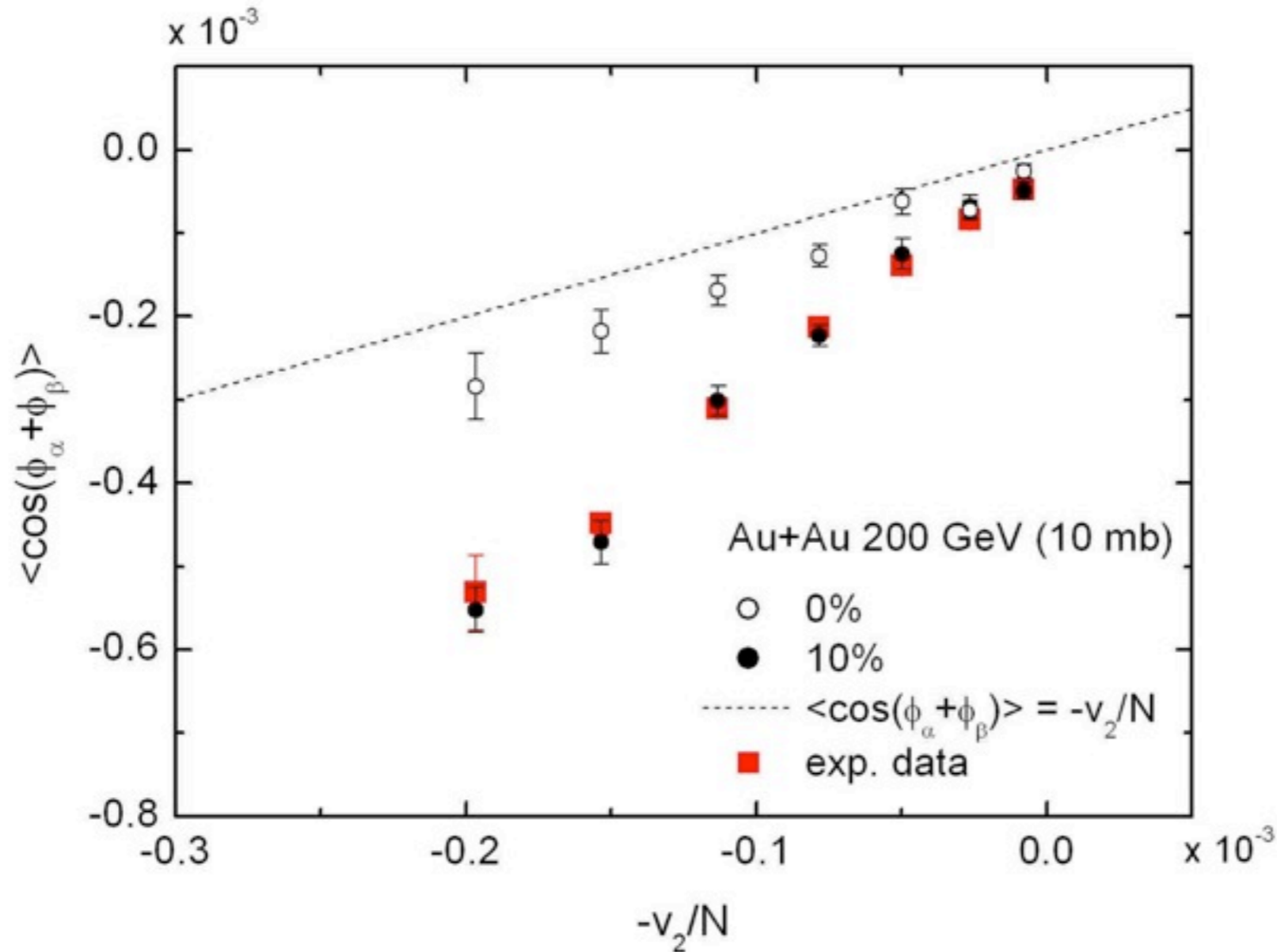
- Opp-charge and same-charge are consistent with zero initially.
- They become negative through parton cascade due to flow/TMC.
- Coalesce enhances same-charge and reduce opp-charge.
- Resonance decays reduce signal magnitude.

Final state effects on charge separation



- Parton cascade reduces charge separation significantly; Coalescence recovers some charge separation in part; Resonance decays reduce charge separation.
- 10% in the beginning \rightarrow 1-2% percentage at the end.

CME vs trans. mom. conservation



● The original AMPT result is very close to the expectation of trans. mom. conservation [dashed: $\langle \cos(\phi_\alpha + \phi_\beta) \rangle = -v_2/N$].

● TMC can partly account for data, and an initial 10% dipole charge separation is needed.

AMPT results about $\langle \cos(\phi_\alpha - \phi_\beta) \rangle$

$$\langle \cos[\phi_\alpha - \phi_\beta] \rangle = [v_{1,\alpha}v_{1,\beta} + B_{in}] + [a_\alpha a_\beta + B_{out}]$$

Directed flow: vanishes if measured in a symmetric rapidity range

Non-flow/non-parity effects: can not cancel out

P-even quantity: still sensitive to charge separation

- AMPT gives the same trends as data.
- Initial charge separation is not enough to make up for the large difference between AMPT and data.
- **Other mechanisms needed for CME + BG?**

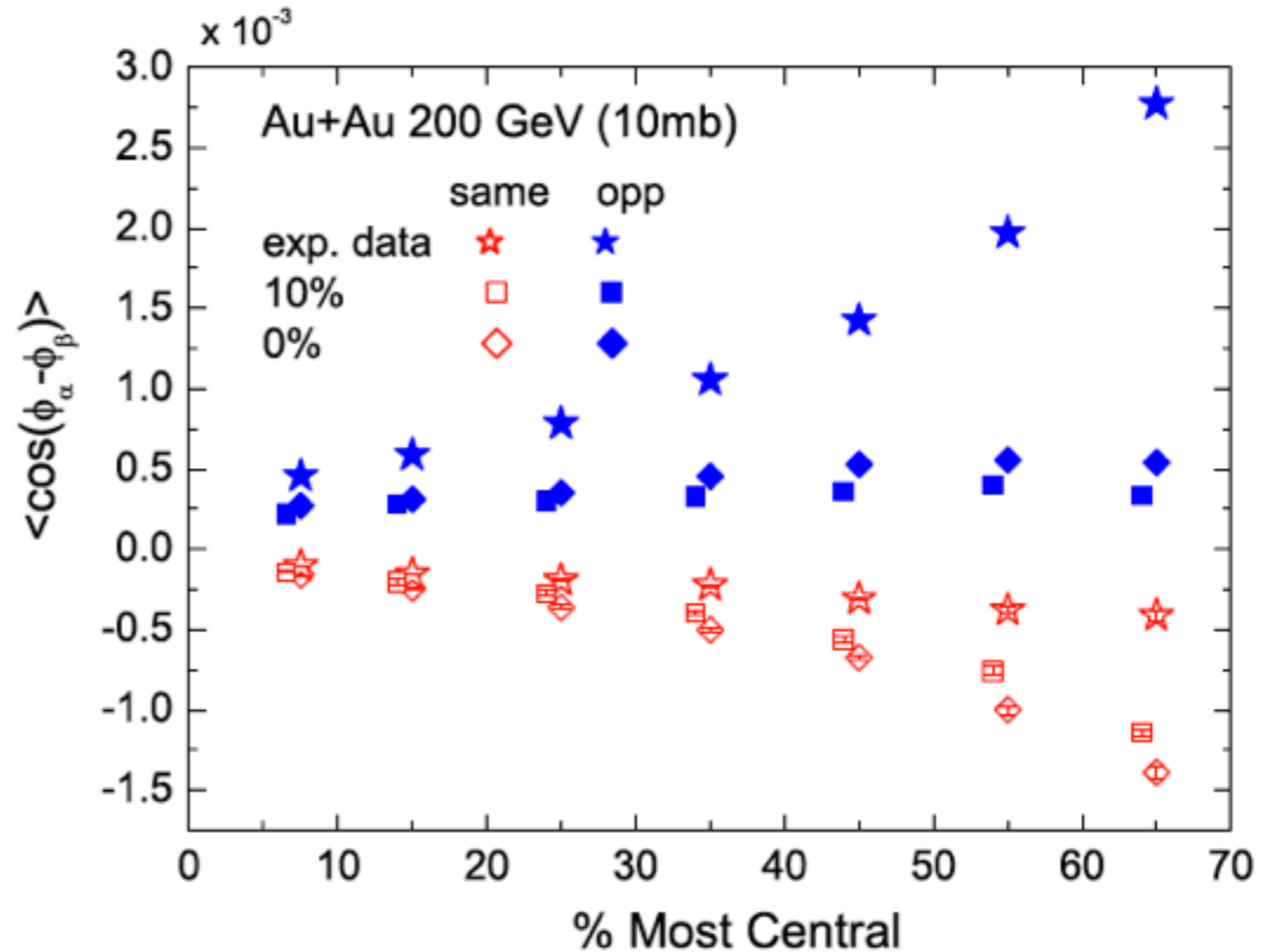


TABLE I. Estimated contributions to azimuthal correlations from various effects and comparison with data. The DATA are from the STAR measurement for AuAu 200-GeV collisions at $\sim 50\%$ – 60% centrality. Bzdak et. al., PRC **83**, 014905 (2011)

$\hat{O} \times 10^3$	$\langle \cos(\phi_1 + \phi_2) \rangle_{++}$	$\langle \cos(\phi_1 + \phi_2) \rangle_{+-}$	$\langle \cos(\phi_1 - \phi_2) \rangle_{++}$	$\langle \cos(\phi_1 - \phi_2) \rangle_{+-}$
CME	$-(0.1 - 1)$	$+(0.01 - 0.1)$	$+(0.1 - 1)$	$-(0.01 - 0.1)$
LCC	~ 0	$+(0.1 - 1)$	~ 0	$+(1 - 10)$
TMC	~ -0.1	~ -0.1	~ -1	~ -1
DATA	-0.45	$+0.06$	-0.38	$+1.97$

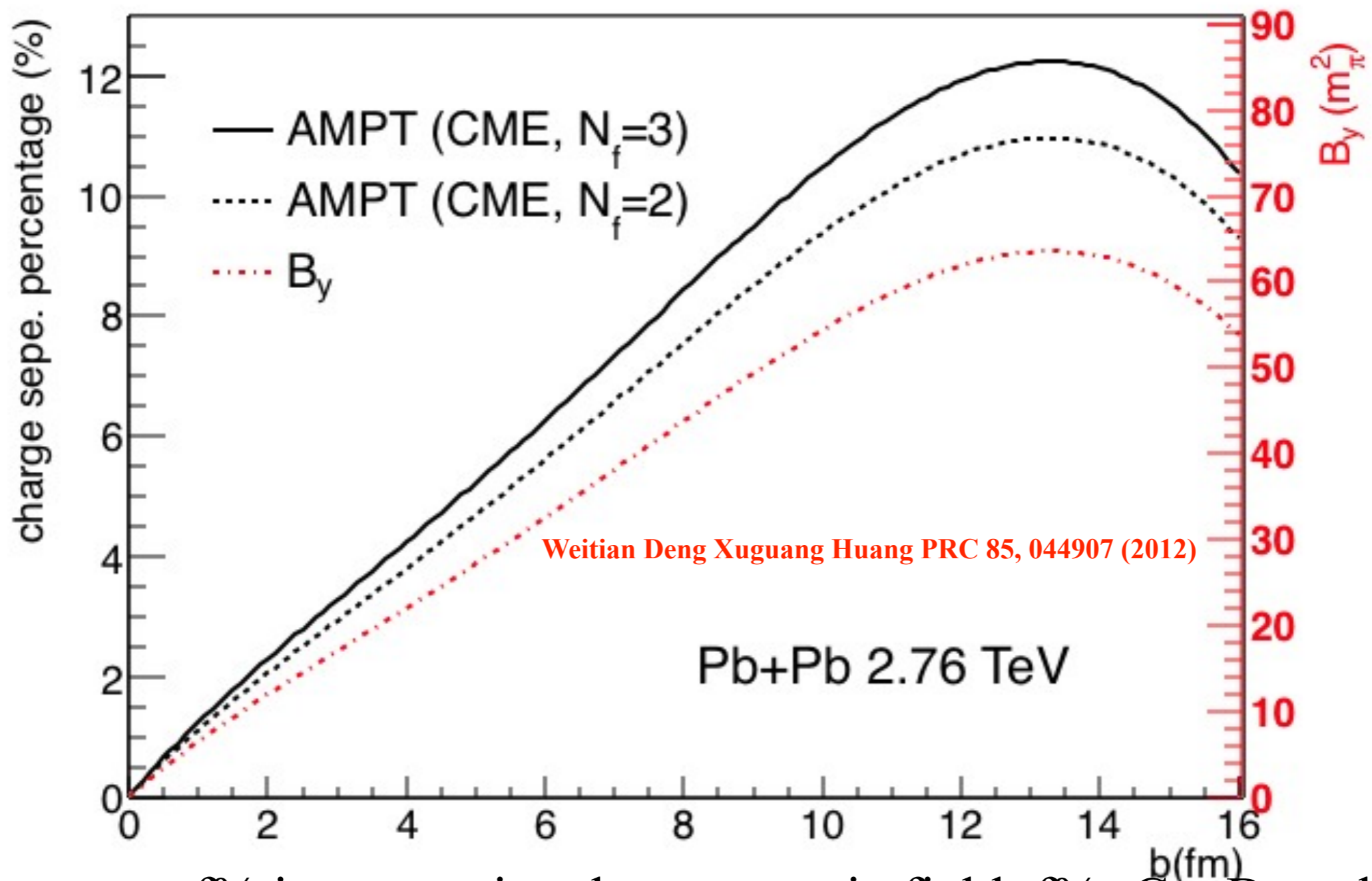
(II) AMPT results on the CME in Pb+Pb @LHC

Ling Huang, Chun-Wang Ma, Guo-Liang Ma, in preparation

AMPT results on the CME in p+Pb @LHC

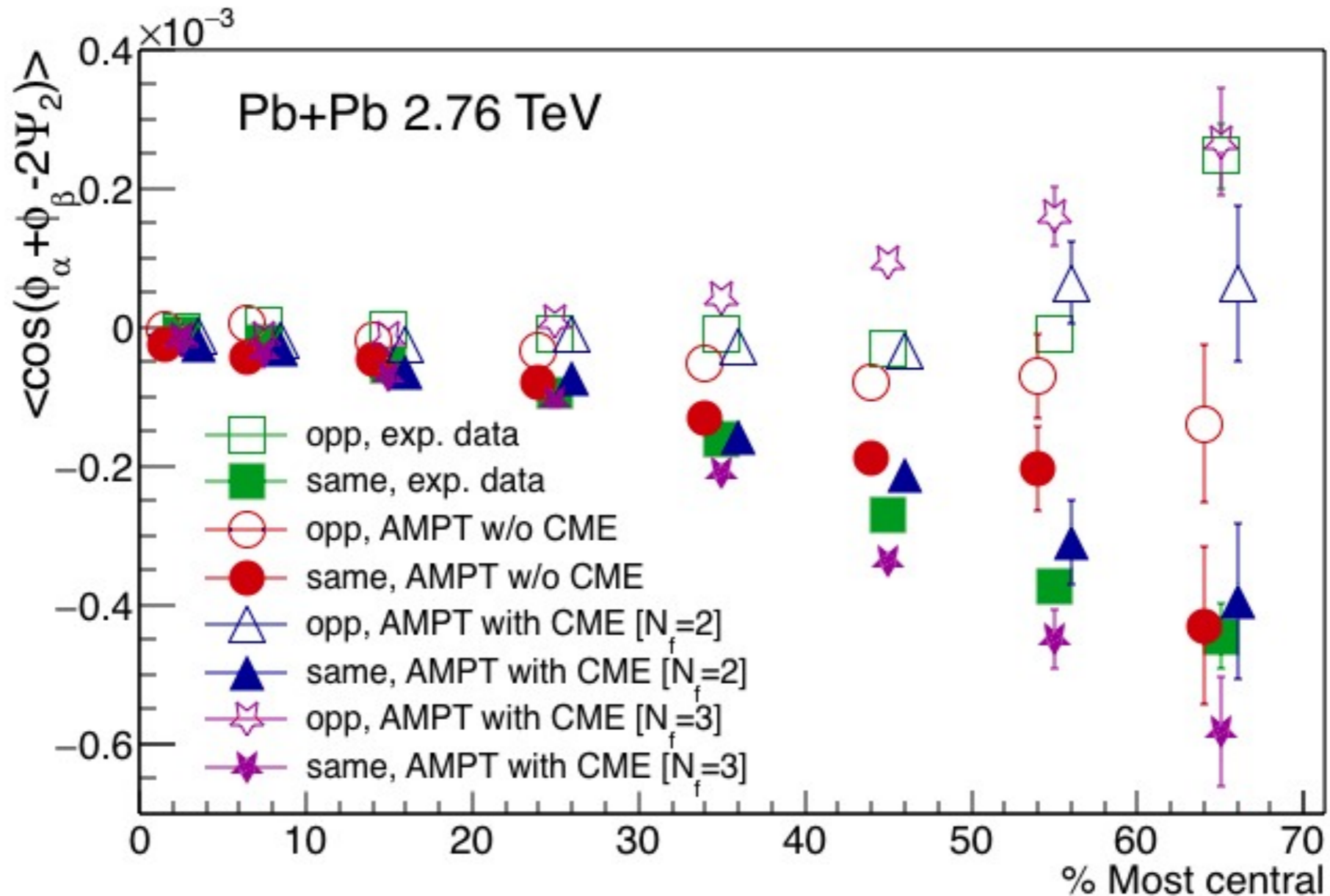
See Xinli Zhao's next talk

Centrality-dependent charge sepe. percentage



- We assume $f^0\%$ is proportional to magnetic field, $f^0\% = C \times B_y$, where C is determined by fitting the experimental data.
- Two types of CMEs: $N_f=2(\mathbf{u}, \mathbf{d})$ vs $N_f=3(\mathbf{u}, \mathbf{d}, \mathbf{s})$

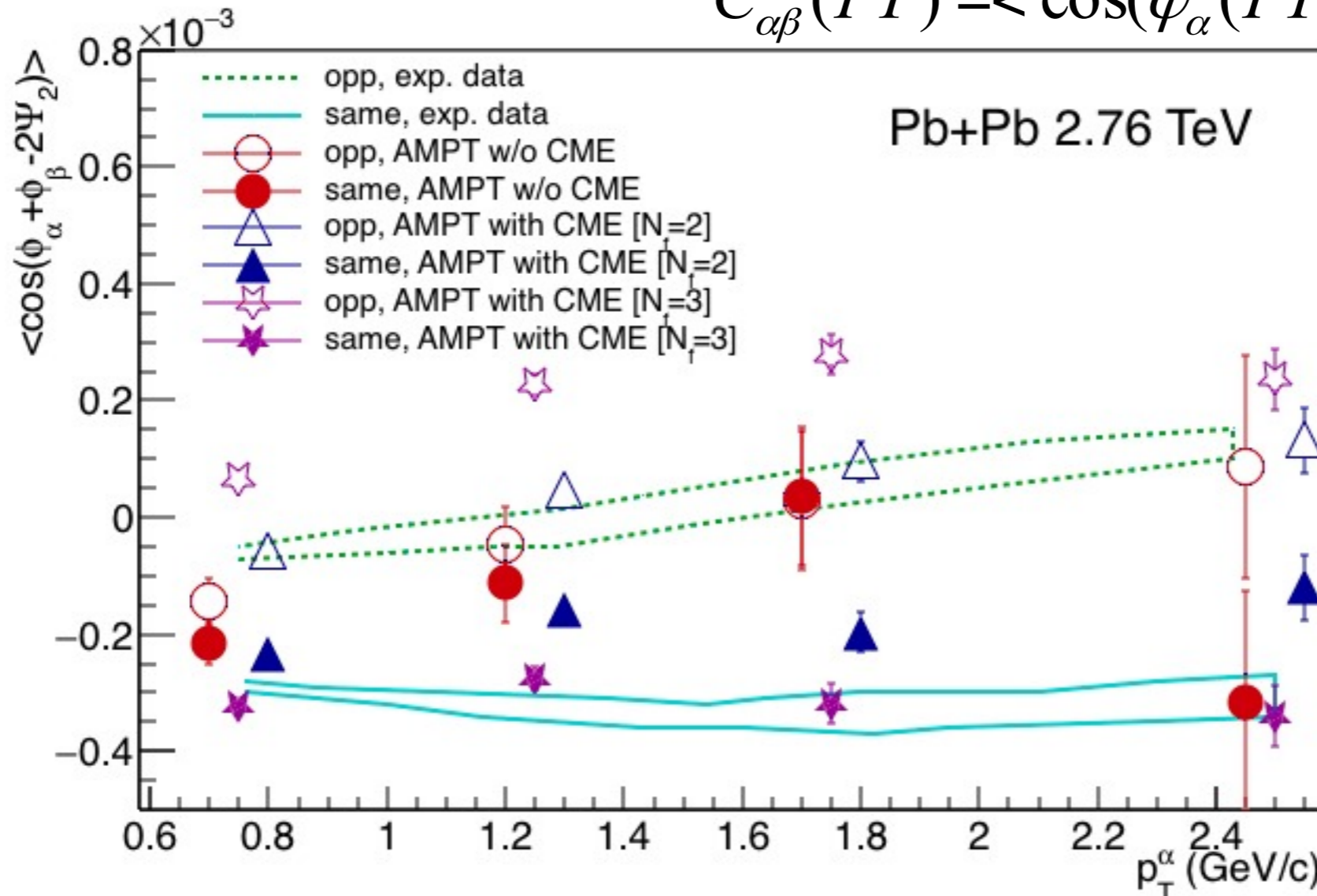
AMPT results on $\langle \cos(\varphi_\alpha + \varphi_\beta) \rangle$



- **AMPT w/o CME** can not match experiment data, gives $\sim 60-70\%$ magnitude.
- Both $N_f=2$ and $N_f=3$ can match data.

hadron-hadron correlation (h-h)

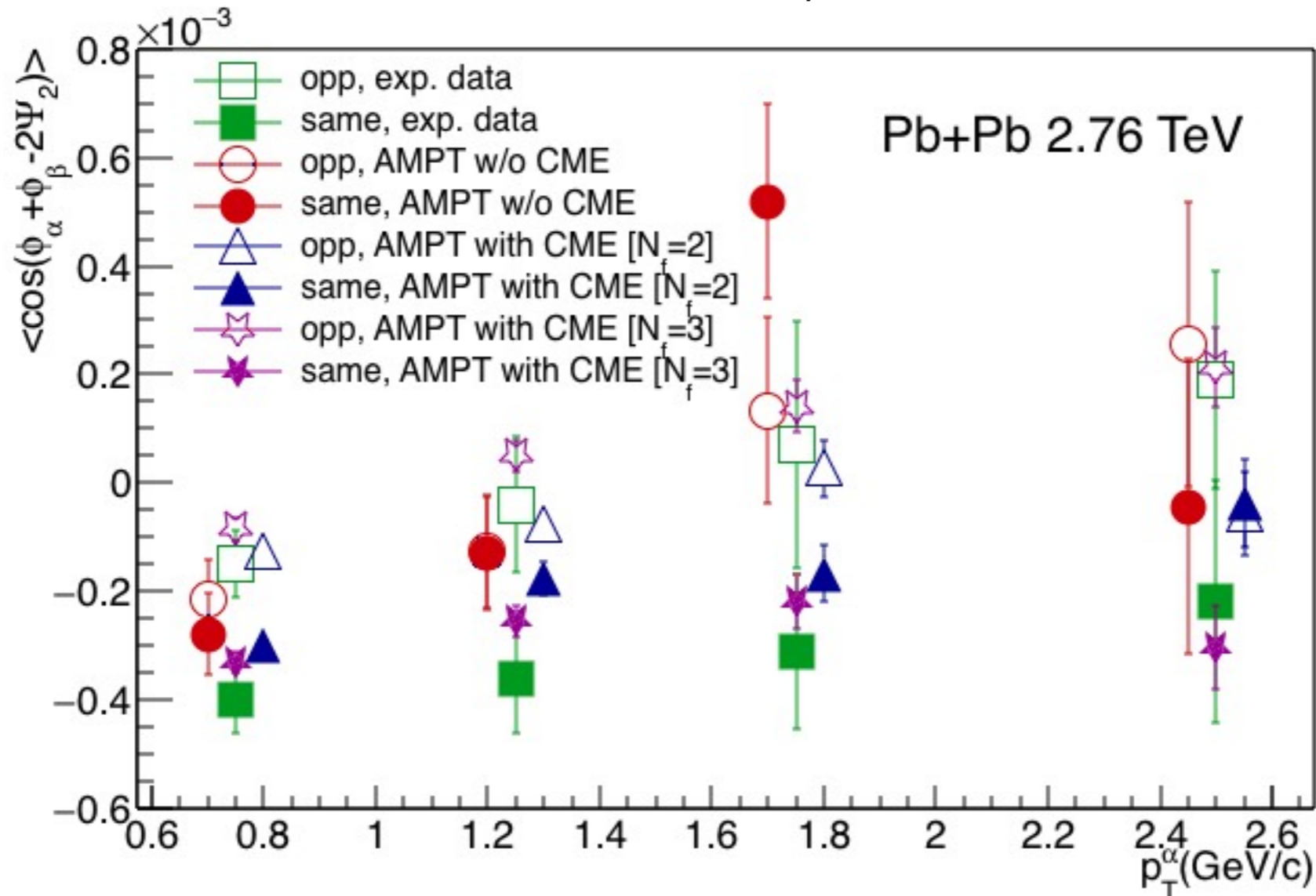
$$C_{\alpha\beta}^{ij}(PT) = \langle \cos(\varphi_{\alpha}^i(PT) + \varphi_{\beta}^j - 2\psi_{RP}) \rangle$$



- **AMPT w/o CME** can not reproduce opp-charge and same-charge data.
- AMPT with CME can improve the description to the data. But neither **N_f=2** nor **N_f=3** can describe opposite-charge and same-charge data simultaneously.

Kaon-hadron correlation (k-h)

$$C_{\alpha\beta}^{ij}(PT) = \langle \cos(\varphi_{\alpha}^i(PT) + \varphi_{\beta}^j - 2\psi_{RP}) \rangle$$



- **AMPT w/o CME** can not reproduce **exp. data**.
- **N_f=2** can describe opp-charged data, but overestimate same-charged data.
- **N_f=3** can describe opp-charged and same-charged data simultaneously.

(III) AMPT results on CME in isobar exp.

Deng, Huang, Wang and Guo-Liang Ma, in preparation

— $^{96}_{40}\text{Zirconium}$ vs $^{96}_{44}\text{Ruthenium}$



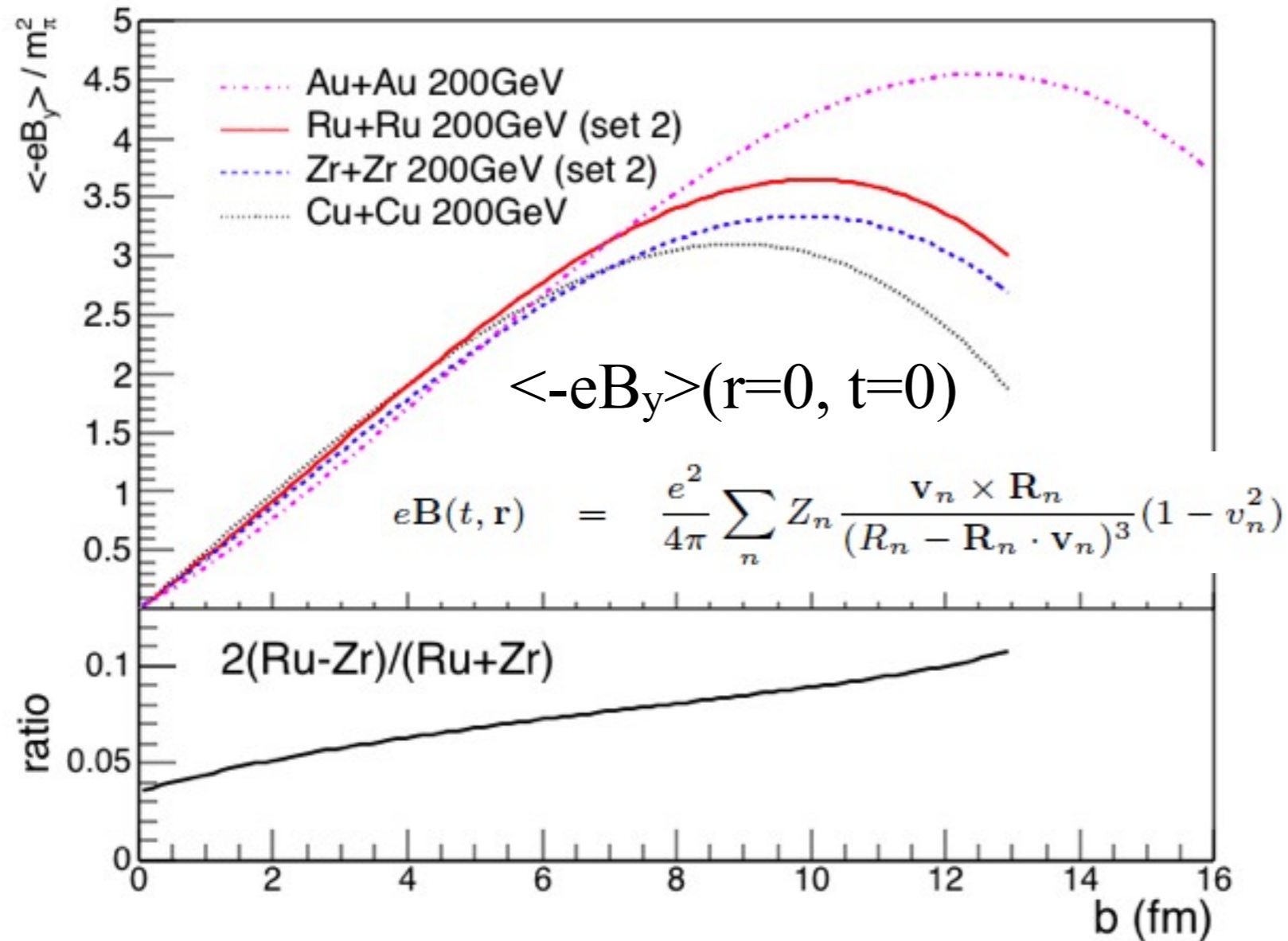
Glauber parameters for Zr96 and Ru 96

setting 1	R0	a(d)	Radius ^[4,5,6] (fm) & Deformation ^[3] β_2	β_4
Ru96	5.0845	0.567	0.1579	0.00
Zr96	5.0212	0.574	0.08	0.00

setting 2	R0	a(d)	El.-Magn. properties β_2	β_4
Ru96	5.0845	0.567	0.053	0.009
Zr96	5.0212	0.574	0.217	0.01

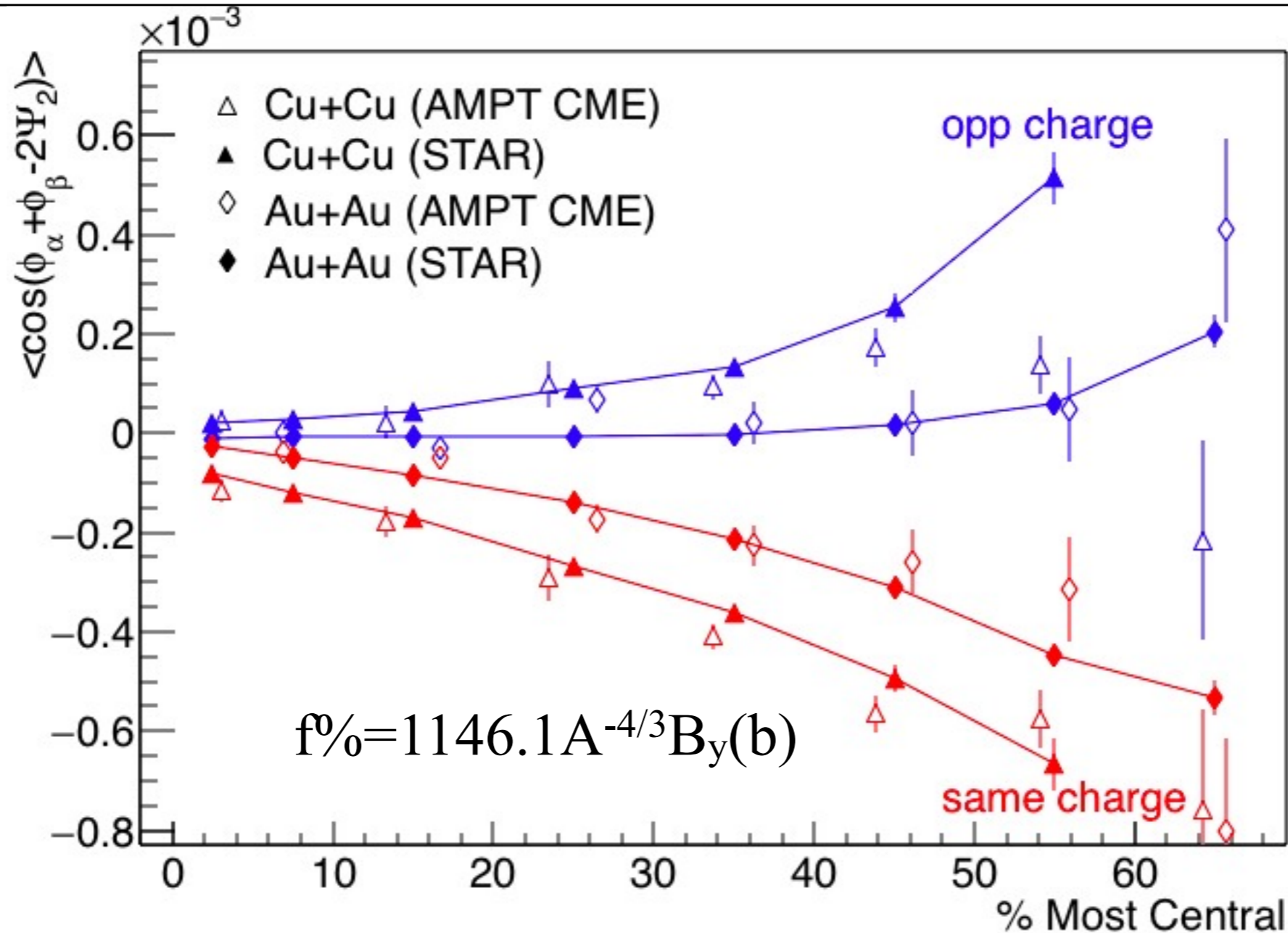
- Two opposite settings of Glauber parameters for Ru96 and Zr96 (<http://nrv.jinr.ru/nrv/webnrv/map/>).
- Which is more ellipsoidal? Ru96 or Zr96? We tried both, show setting 2 only.

b-dependent Magnetic field



- We use Lienard-Wiechert potential to calculate b-dependent $\langle B_y \rangle$.
- $\langle B_y \rangle$ (Ru+Ru) is larger than $\langle B_y \rangle$ (Zr+Zr) by 10% at large b.

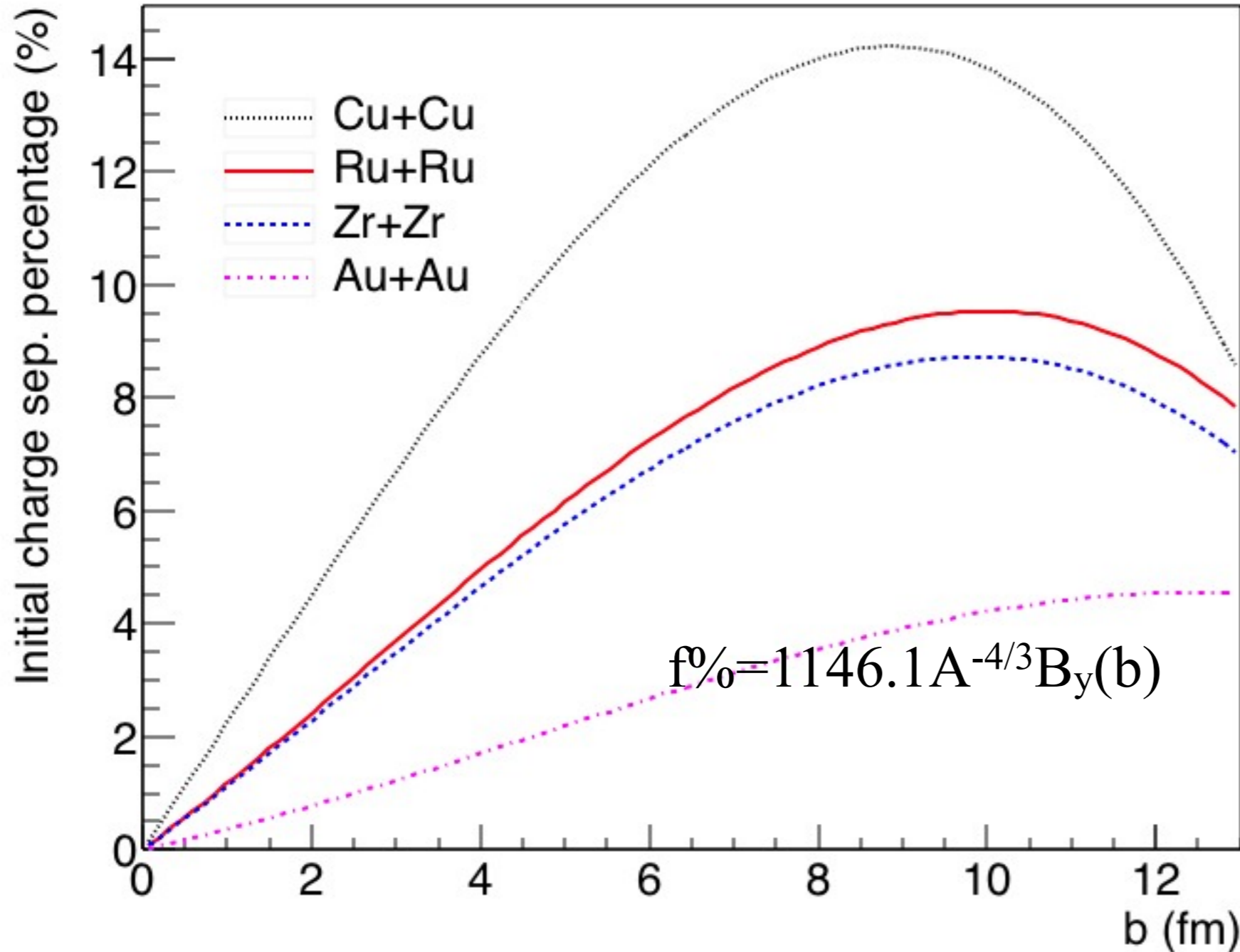
b-dependent initial charge sep. percent



$$f\% = (N^+_{\text{upward}} - N^+_{\text{downward}}) / (N^+_{\text{upward}} + N^+_{\text{downward}}) \sim J\pi R^2 / N_{\text{mult}} \sim A^{-4/3} B_y$$

- We fit Au+Au and Cu+Cu exp. data.
 → An empirical initial charge separation percentage: $f\% = 1146.1 A^{-4/3} B_y$.

b-dependent initial charge sep. percent

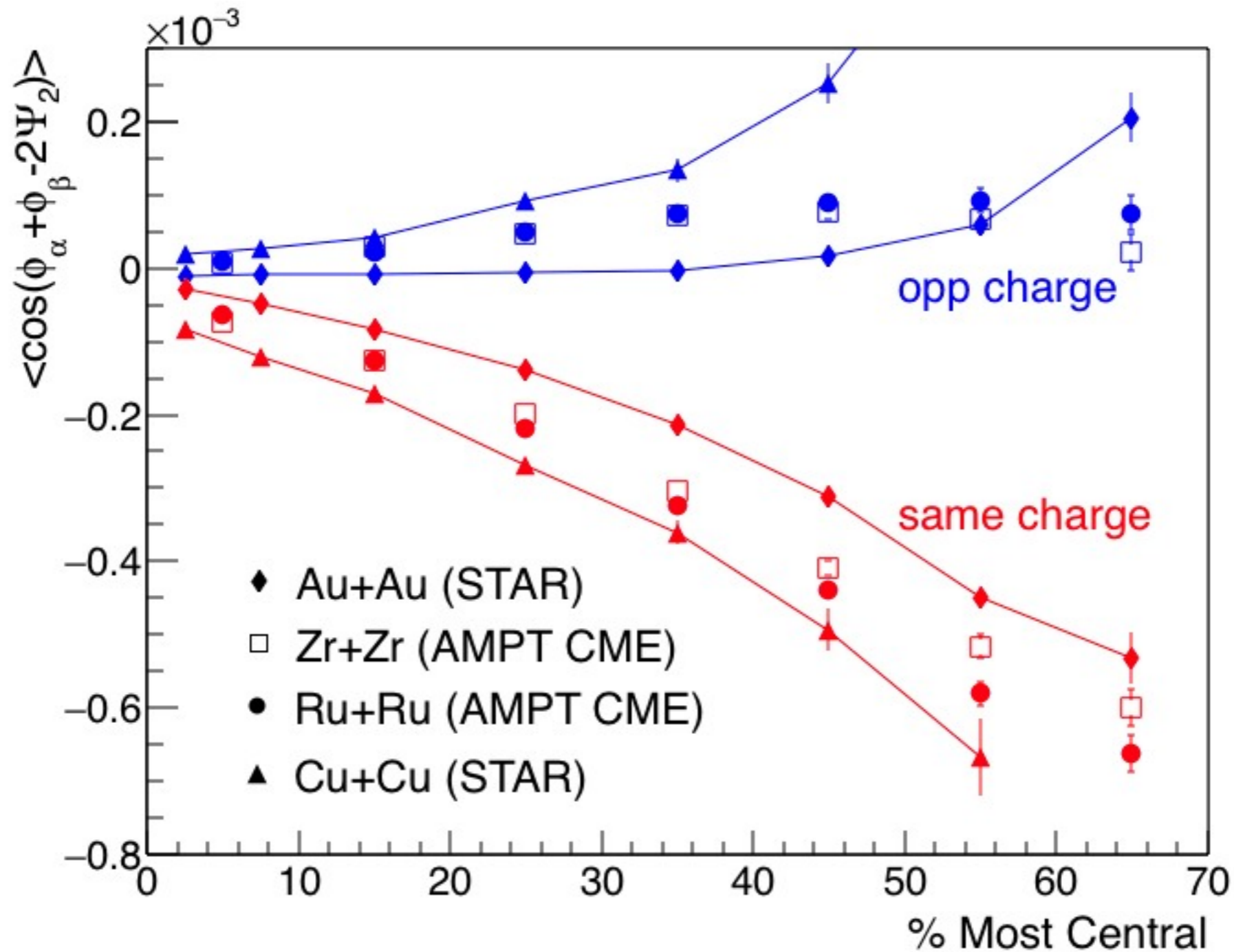


Centrality cuts for
Ru+Ru and Zr+Zr

Centrality	b_{\min} (fm)	b_{\max} (fm)
0-10%	0	3.9
10-20%	3.9	5.5
20-30%	5.5	6.8
30-40%	6.8	7.8
40-50%	7.8	8.8
50-60%	8.8	9.6
60-70%	9.6	10.3

- We apply $f\% = 1146.1 A^{-4/3} B_y(b)$ to introduce the initial charge separation into Ru+Ru and Zr+Zr.

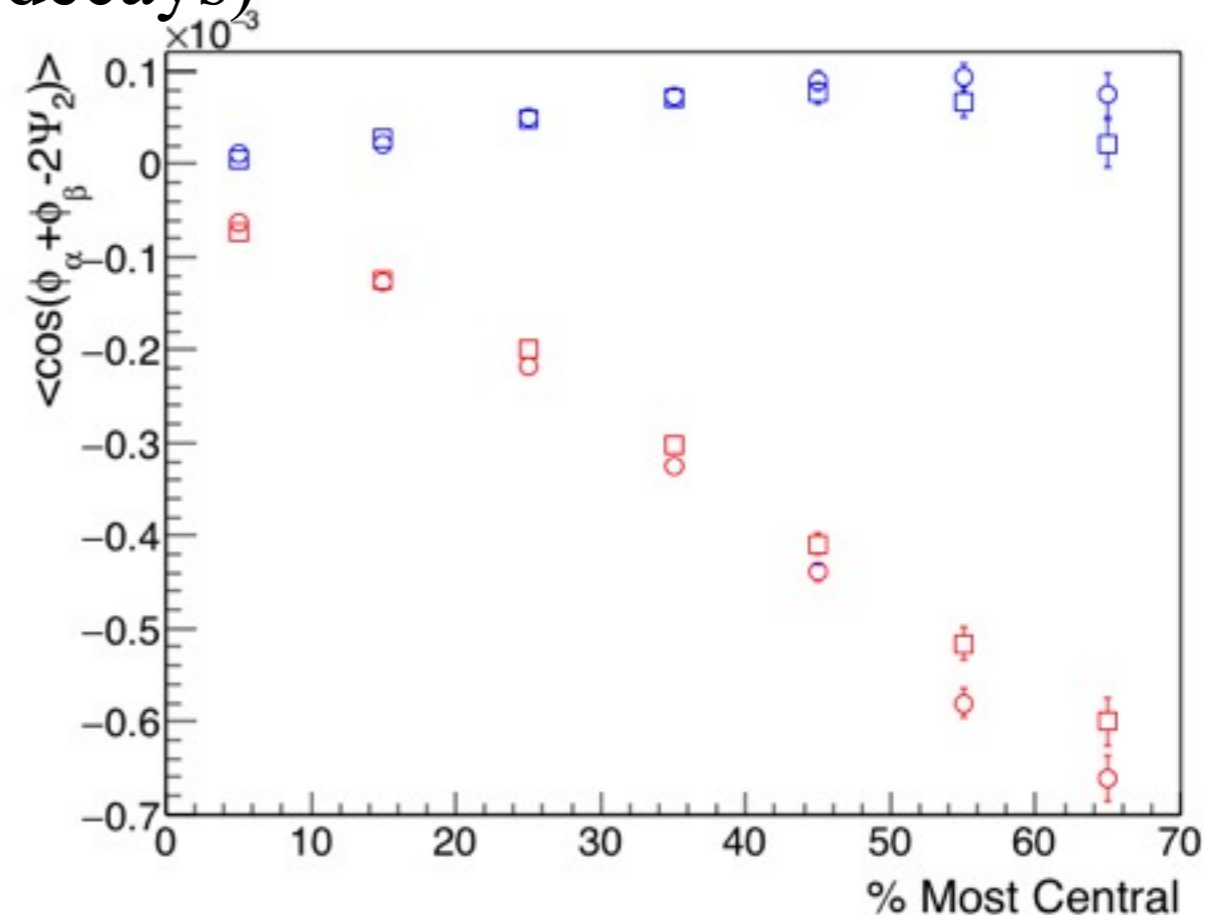
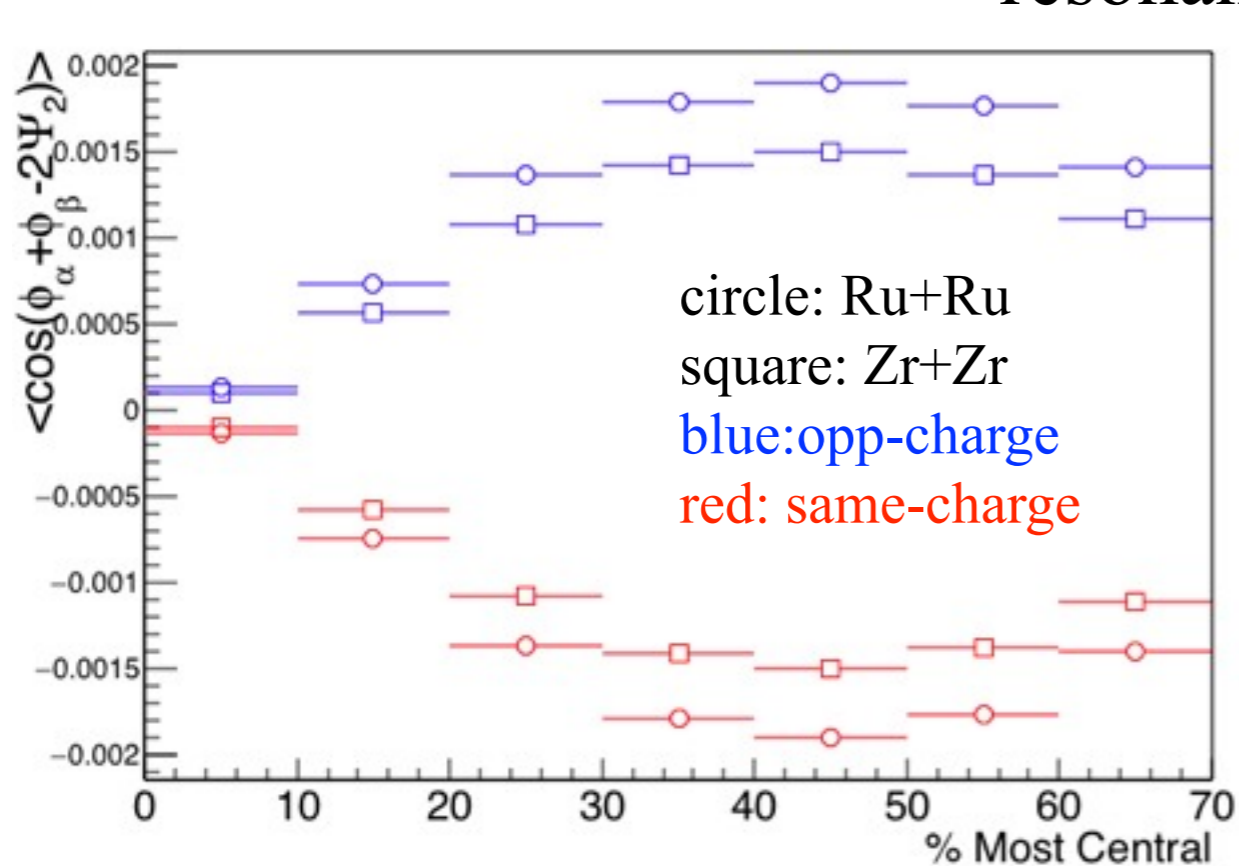
AMPT (CME) results on $\langle \cos(\phi_\alpha + \phi_\beta - 2\Psi_2) \rangle$



- We see a reasonable magnitude ordering of $|\langle \cos(\phi_\alpha + \phi_\beta - 2\Psi_2) \rangle|$, i.e., Au+Au < Zr+Zr < Ru+Ru < Cu+Cu.

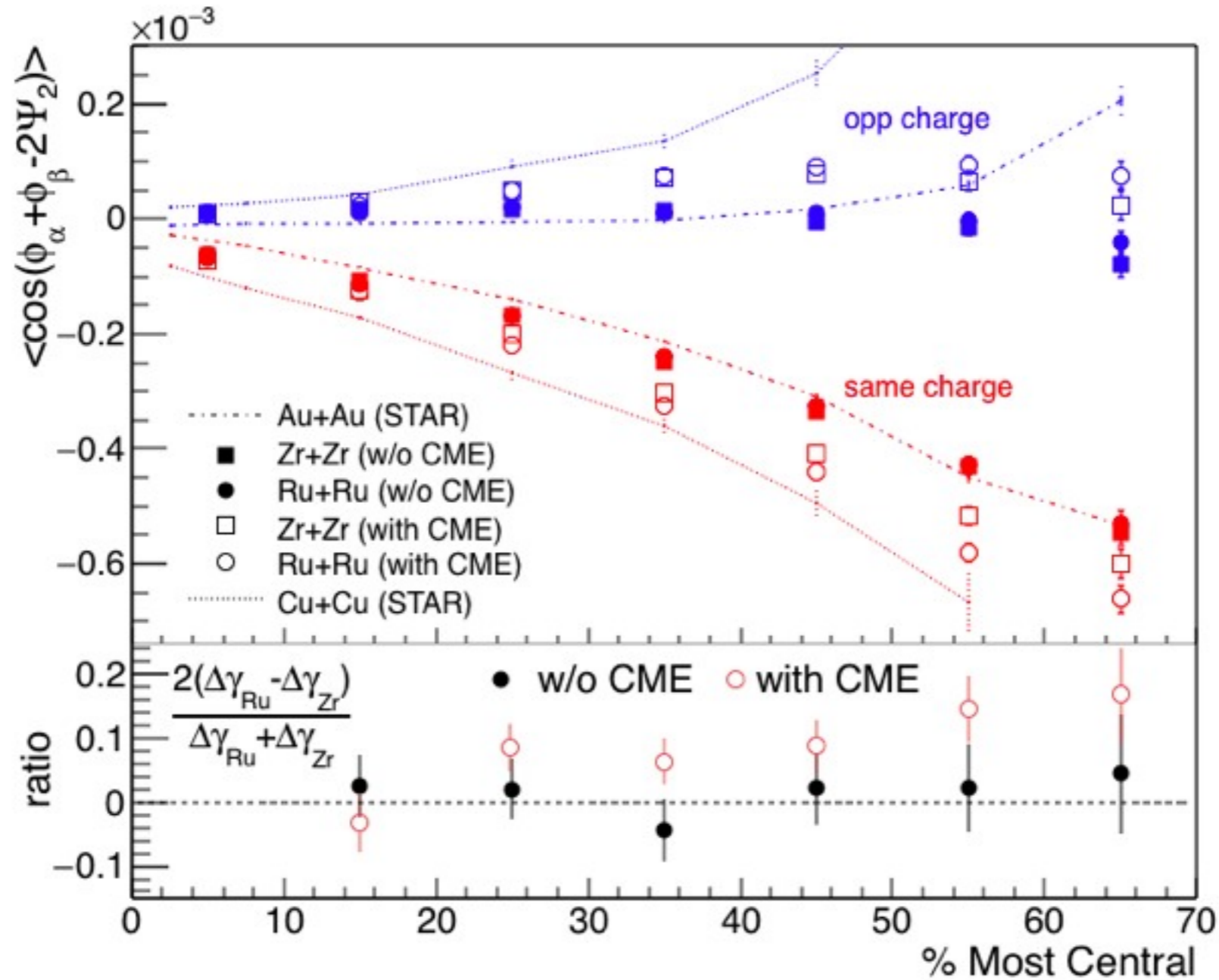
$\langle \cos(\phi_\alpha + \phi_\beta - 2\psi_2) \rangle$ in Ru+Ru and Zr+Zr

Initial state (parton cascade,
hadronization,
resonance decays) Final state



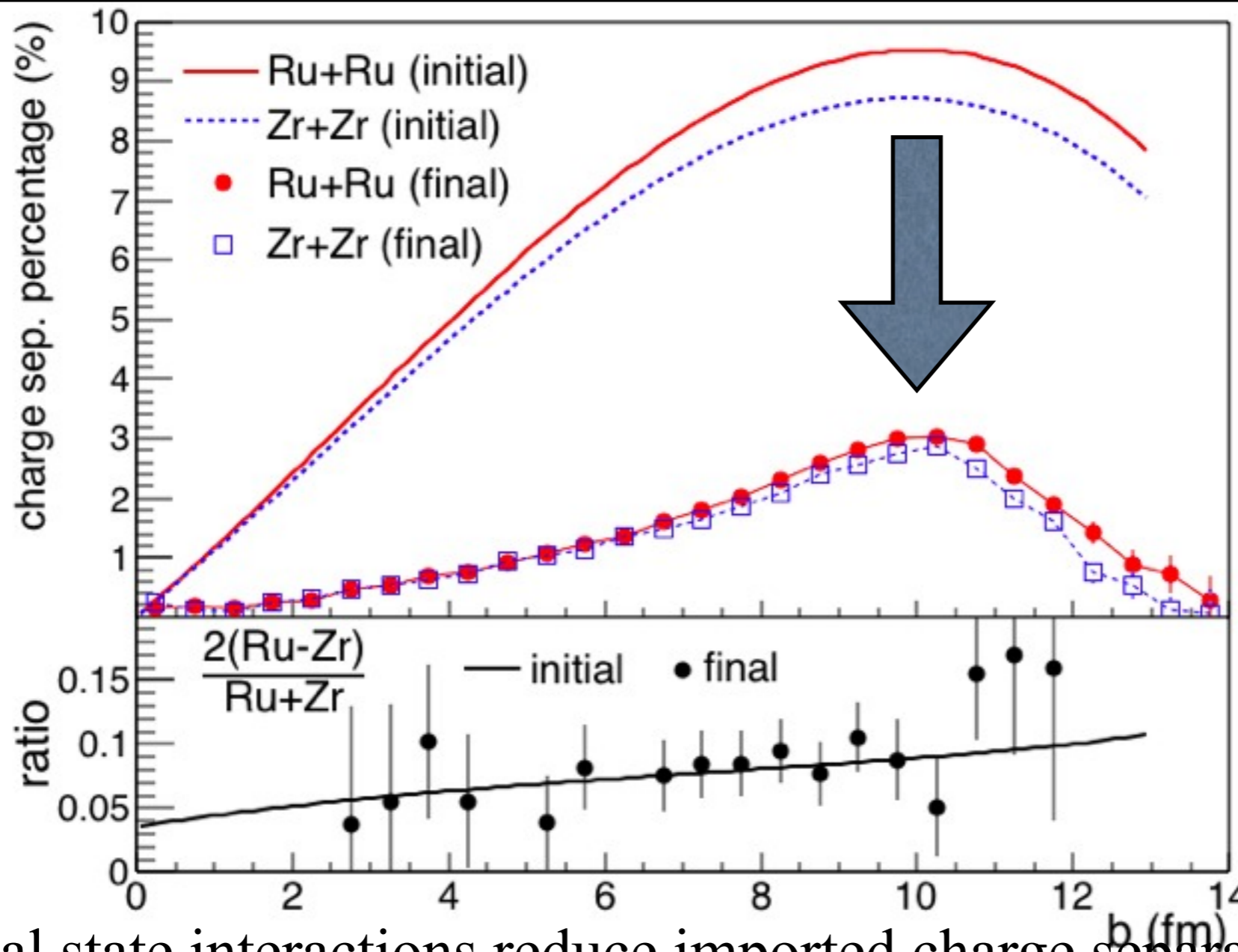
- Final state interactions reduce the $\langle \cos(\phi_\alpha + \phi_\beta - 2\psi_2) \rangle$ difference between Ru+Ru and Zr+Zr.

CME effect on $\langle \cos(\phi_\alpha + \phi_\beta - 2\psi_2) \rangle$ in isobar collisions



- **If w/o CME (solid symbol)**, the signals are almost same between Ru+Ru and Zr+Zr from the regular AMPT model.
- **If with CME (open symbol)**, the magnitudes of signals increase, the difference between Ru+Ru and Zr+Zr appears.

Final interaction effect on charge separation ratio



initial state

(parton cascade,
hadronization,
resonance decays)

final state

- Final state interactions reduce imported charge separations.
- The relative ratio of charge separation percentage is kept, same as $\langle B_y \rangle$ ratio.
- Ones could observe the CME signal difference even after strong final state interactions, if with enough statistics.

Summary

- Because final state interactions largely reduce the CME signal=> The percentage of initial dipole charge separation due to CME should reach~10%.
- PID-triggered charge correlation can help us to understand the N_f of CME and explore the QCD deconfinement.
- The CME difference between Ru+Ru and Zr+Zr collisions could survive from final state interactions, hopefully can be observed with enough statistics in the future experiment.

Thanks for your attention!