



# My involvements with AMPT

Jiangyong Jia, BNL and Stony Brook University

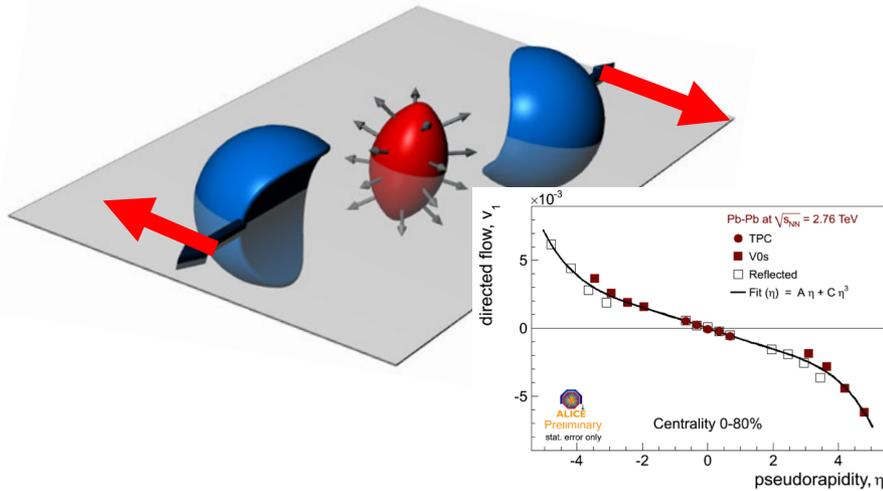
# Dipolar flow from EbyE fluctuation of $\epsilon_1$

## A study of the anisotropy associated with dipole asymmetry in heavy ion collisions

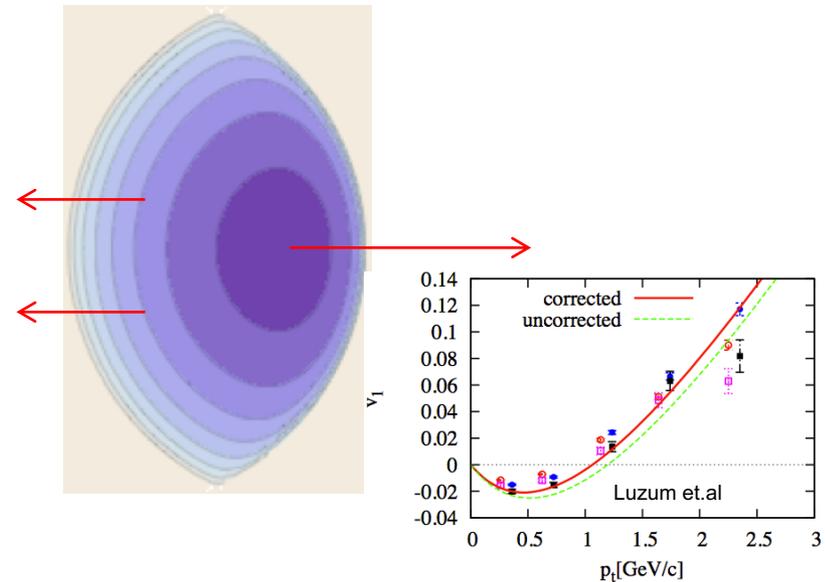
1203.3410

Jiangyong Jia<sup>1,2</sup>, Sooraj Radhakrishnan<sup>1</sup> and Soumya Mohapatra<sup>1</sup>

Odd component: vanish at  $\eta=0$



Even component:  $\sim$ boost invariant in  $\eta$

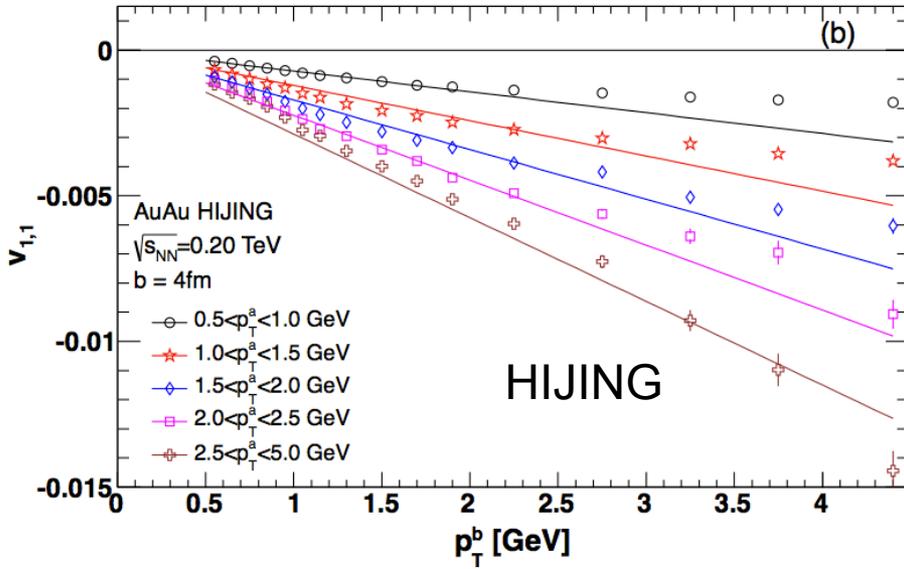


$$v_{1,1}(p_T^a, p_T^b) \approx v_1(p_T^a)v_1(p_T^b) - \frac{p_T^a p_T^b}{M \langle p_T^2 \rangle}$$

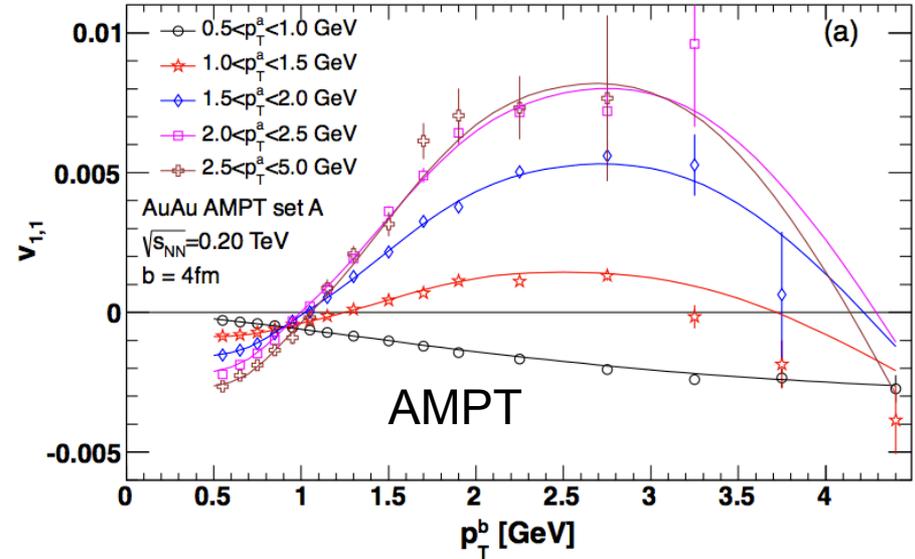
Dipolar flow

Momentum conservation

# Dipolar flow from AMPT

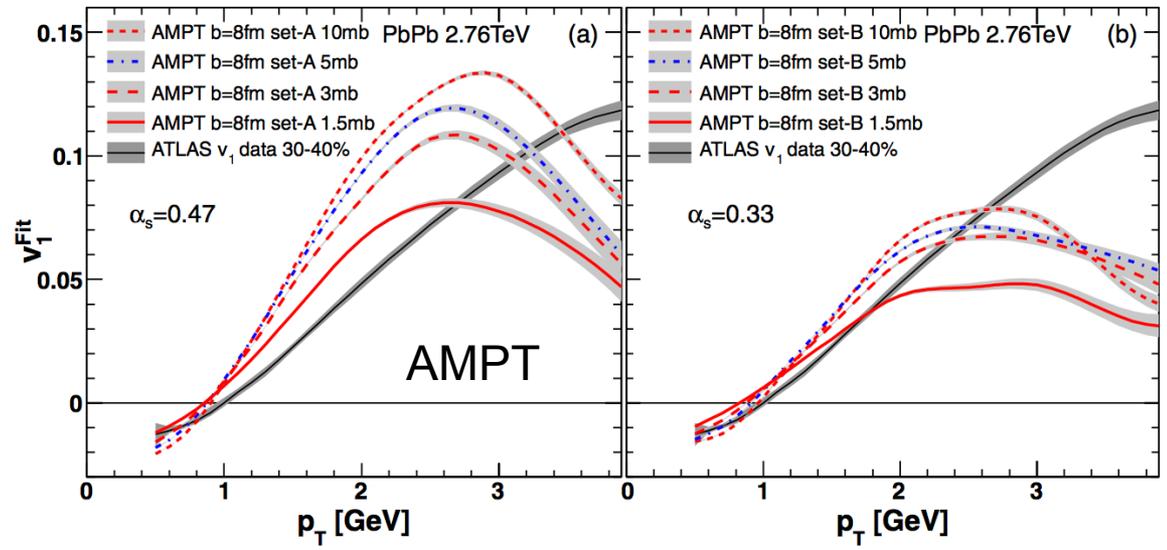


$$v_{1,1}(p_T^a, p_T^b) = -cp_T^a p_T^b$$



$$v_{1,1}(p_T^a, p_T^b) = v_1^{\text{Fit}}(p_T^a) v_1^{\text{Fit}}(p_T^b) - cp_T^a p_T^b$$

Sensitive to cross-sections

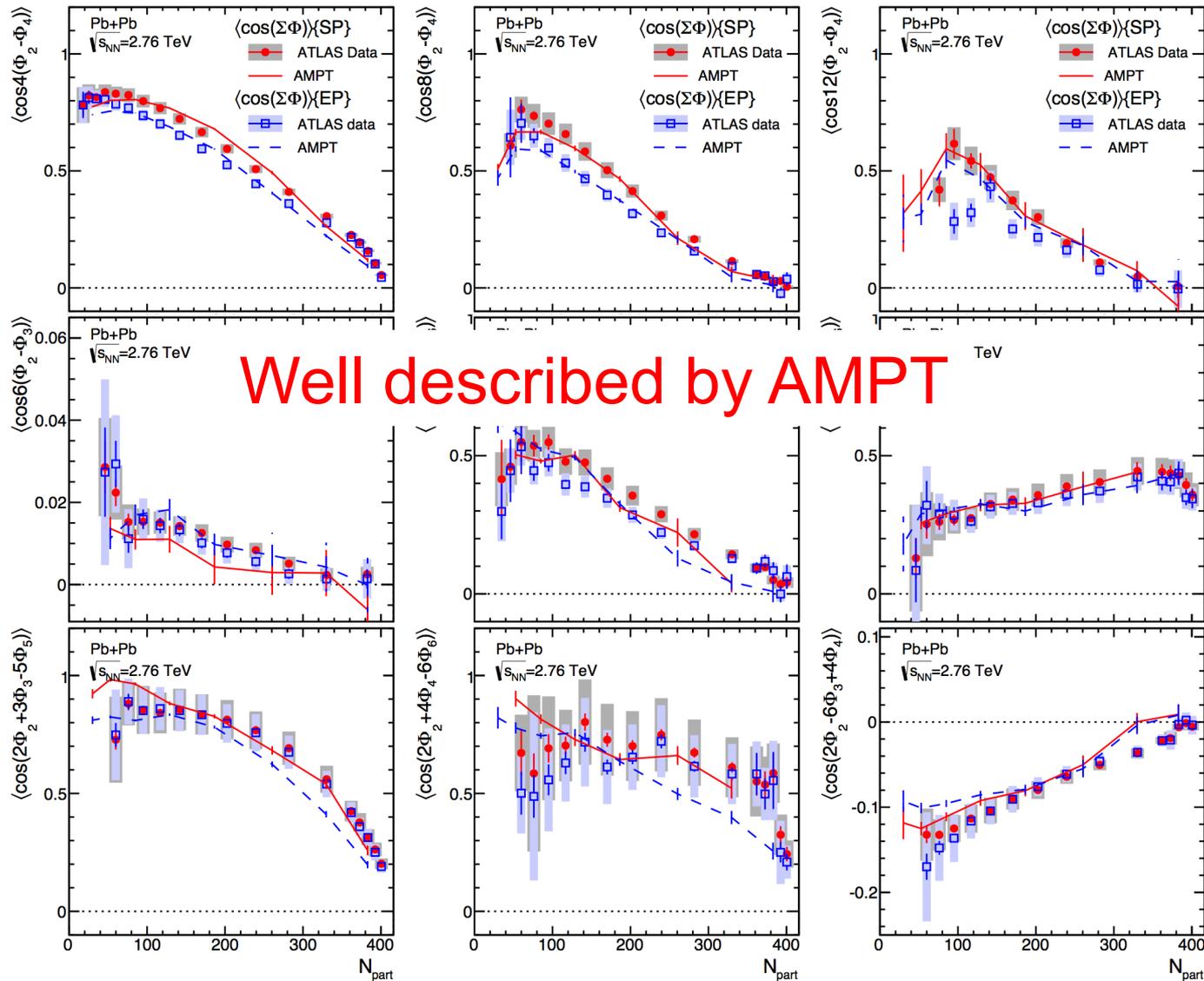


# Event plane correlations: How are $(\varepsilon_n, \Phi_n^*)$ transferred to $(v_n, \Phi_n)$ ?

- EP correlation probes into the initial  $\varepsilon_n$  correlation and final state mode-mixing

PHYSICAL REVIEW C **90**, 024905 (2014)

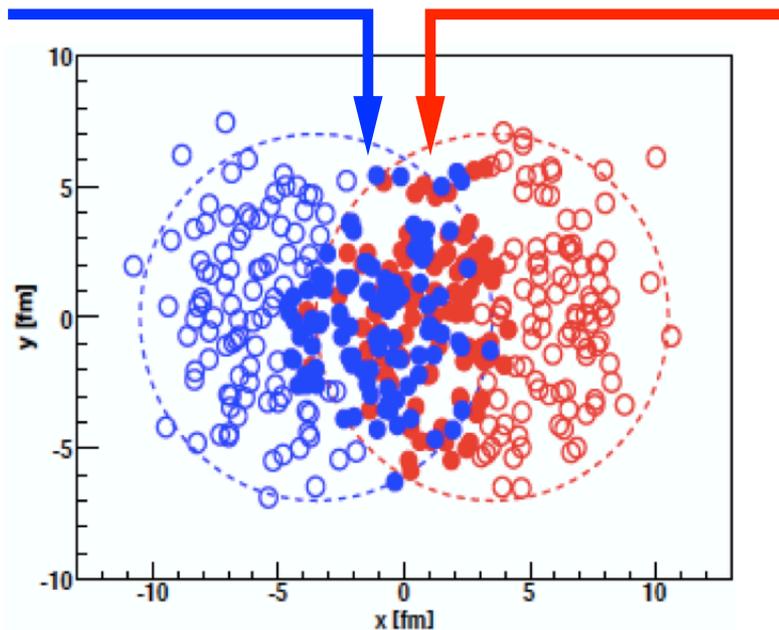
## Measurement of event-plane correlations in $\sqrt{s_{NN}} = 2.76$ TeV lead-lead collisions with the ATLAS detector



# Three types of longitudinal correlations

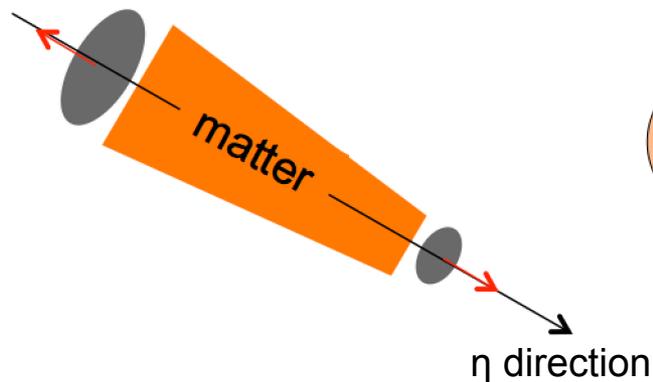
Fluctuation of sources in two nuclei  $\rightarrow$  fluc. of size and transverse-shape

$$N_{\text{part}}^F \quad \varepsilon_n^F e^{in\Psi_n^F}$$

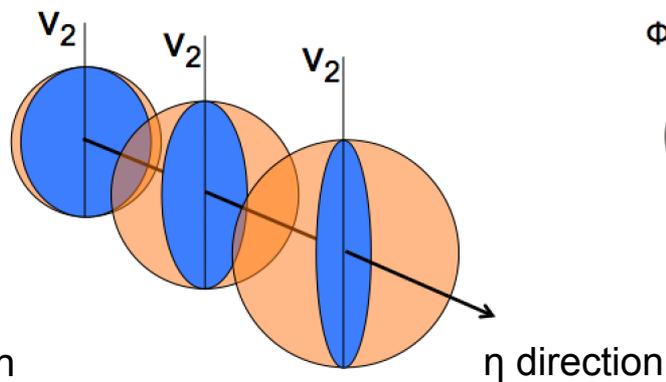


$$N_{\text{part}}^B \quad \varepsilon_n^B e^{in\Psi_n^B}$$

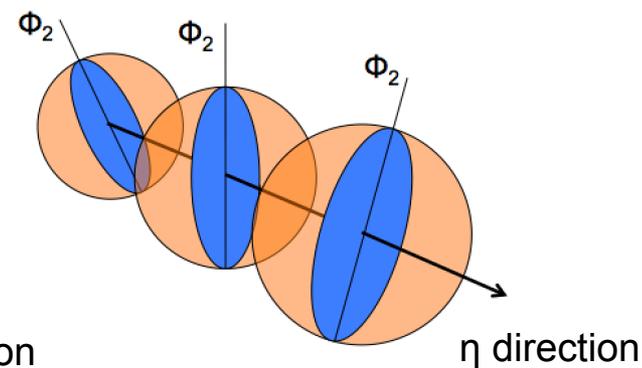
**(a)**  $N_{\text{part}}^F \neq N_{\text{part}}^B$



**(b)**  $\varepsilon_2^F \neq \varepsilon_2^B$



**(c)**  $\Psi_2^F \neq \Psi_2^B$



**Asymmetry in multiplicity**

**Asymmetry in flow magnitude**

**Torque/twist of flow plane**

PHYSICAL REVIEW C **90**, 034905 (2014)

## **Method for studying the rapidity fluctuation and de-correlation of harmonic flow in heavy-ion collisions**

Jiangyong Jia<sup>1,2,\*</sup> and Peng Huo<sup>1</sup>

PHYSICAL REVIEW C **90**, 024910 (2014)

## **Elucidating the event-by-event flow fluctuations in heavy-ion collisions via the event-shape selection technique**

Peng Huo (霍鹏),<sup>1</sup> Jiangyong Jia (贾江涌),<sup>1,2,\*</sup> and Soumya Mohapatra<sup>1,†</sup>

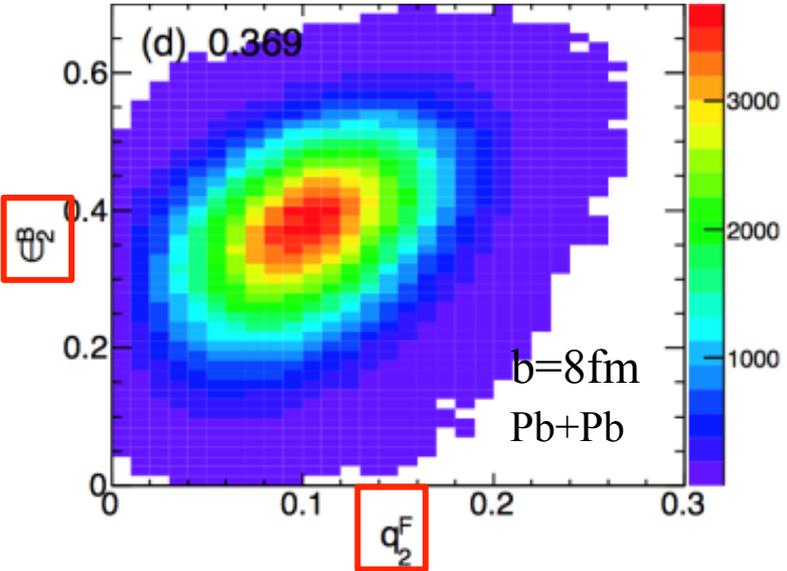
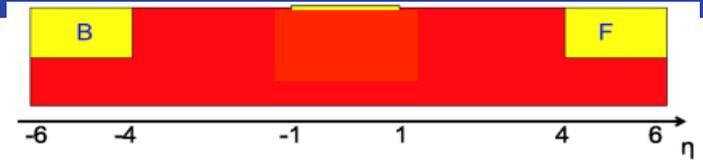
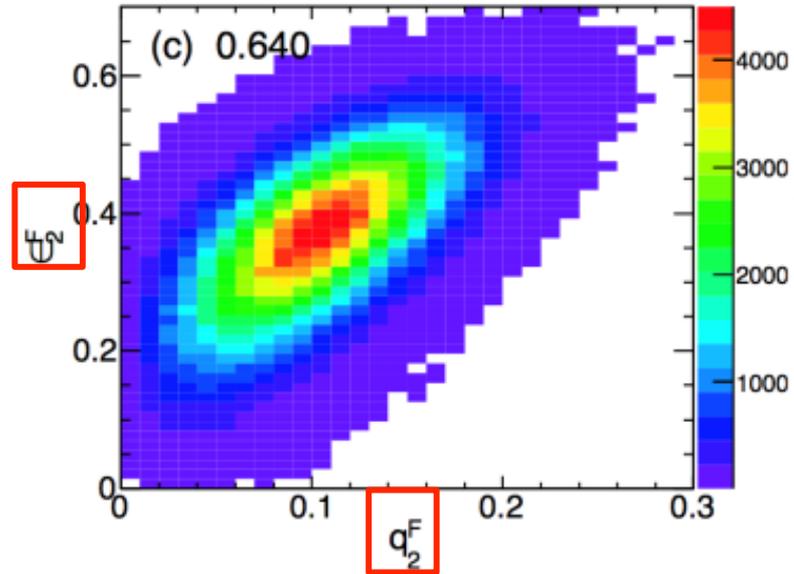
PHYSICAL REVIEW C **90**, 034915 (2014)

## **Forward-backward eccentricity and participant-plane angle fluctuations and their influences on longitudinal dynamics of collective flow**

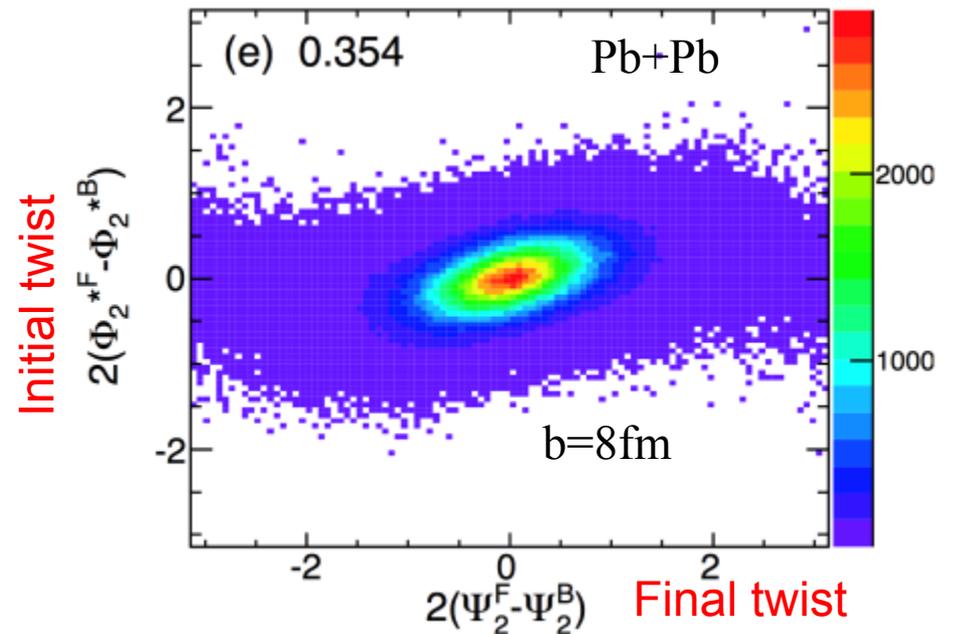
Jiangyong Jia<sup>1,2,\*</sup> and Peng Huo<sup>1</sup>

# Event shape engineering with AMPT

$q_2^F$  more correlated with  $\varepsilon_2^F$  than  $\varepsilon_2^B$



Twist in initial geometry appears as twist in the final state flow



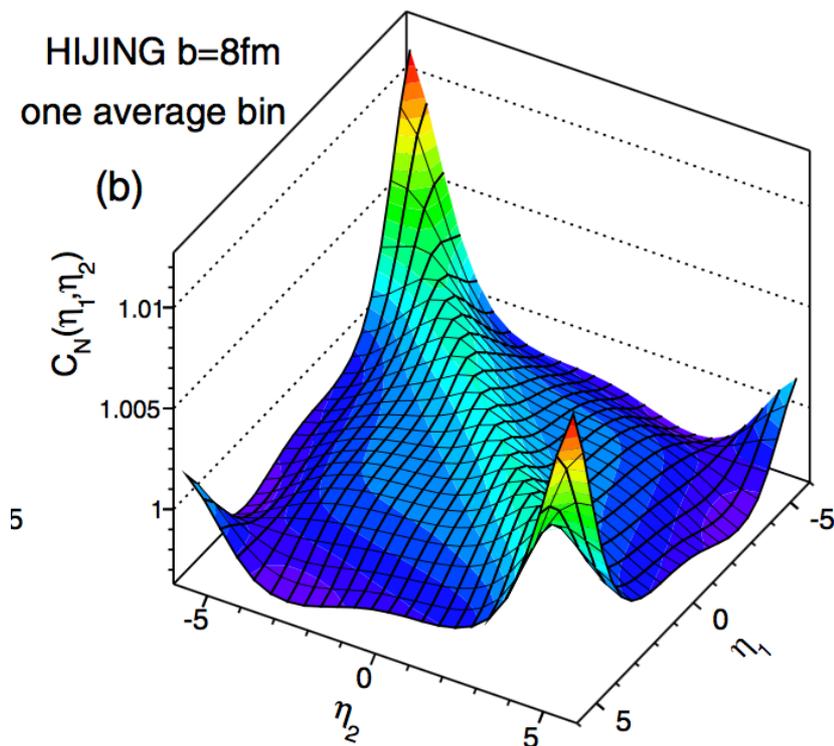
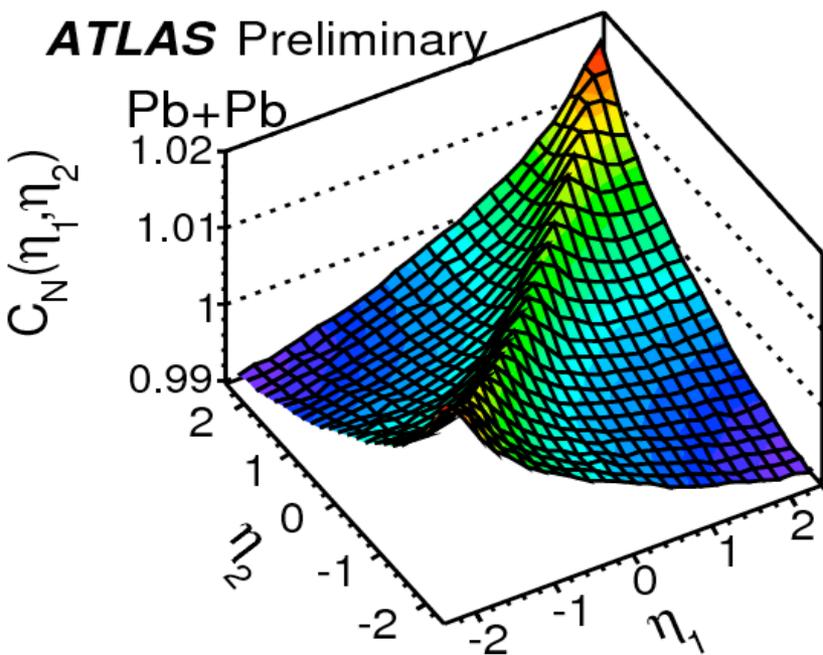
# Longitudinal multiplicity fluctuations

PHYSICAL REVIEW C **93**, 044905 (2016)

## Forward-backward multiplicity fluctuation and longitudinal harmonics in high-energy nuclear collisions

Jiangyong Jia,<sup>1,2,\*</sup> Sooraj Radhakrishnan,<sup>1</sup> and Mingliang Zhou<sup>1,†</sup>

$$C_N(\eta_1, \eta_2) = \frac{\langle N(\eta_1)N(\eta_2) \rangle}{\langle N(\eta_1) \rangle \langle N(\eta_2) \rangle}$$



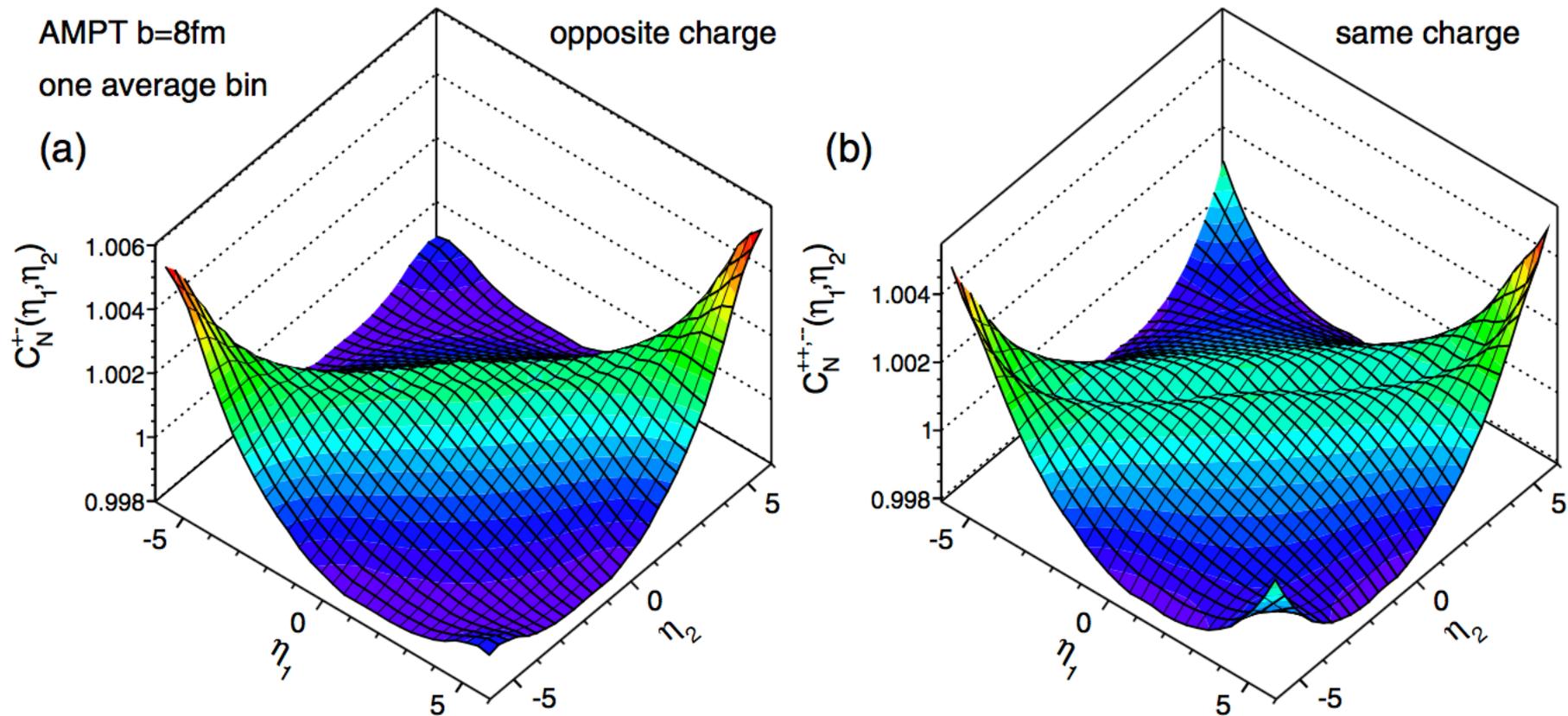
# Longitudinal multiplicity fluctuations from AMPT <sup>9</sup>

PHYSICAL REVIEW C **93**, 044905 (2016)

## Forward-backward multiplicity fluctuation and longitudinal harmonics in high-energy nuclear collisions

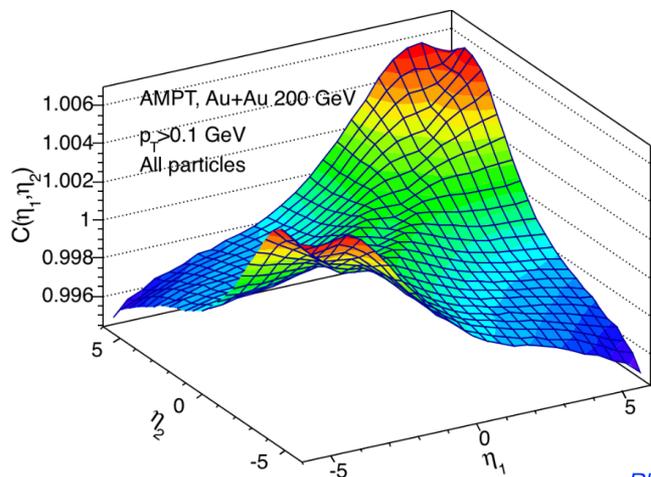
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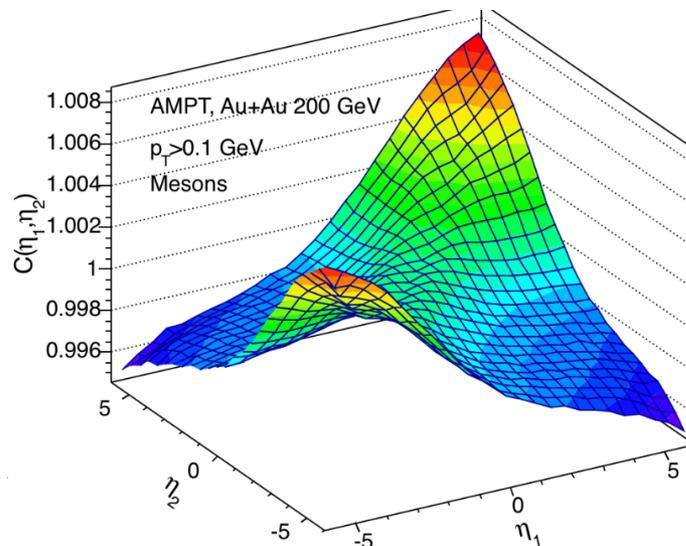


Peculiar dip in around  $\eta_1 \sim \eta_2$  due to coalesce effects?

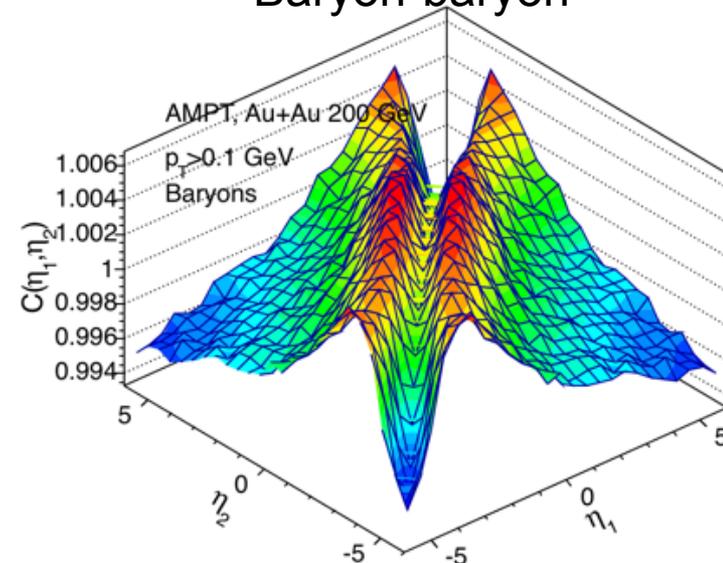
### h-h



### Meson-meson



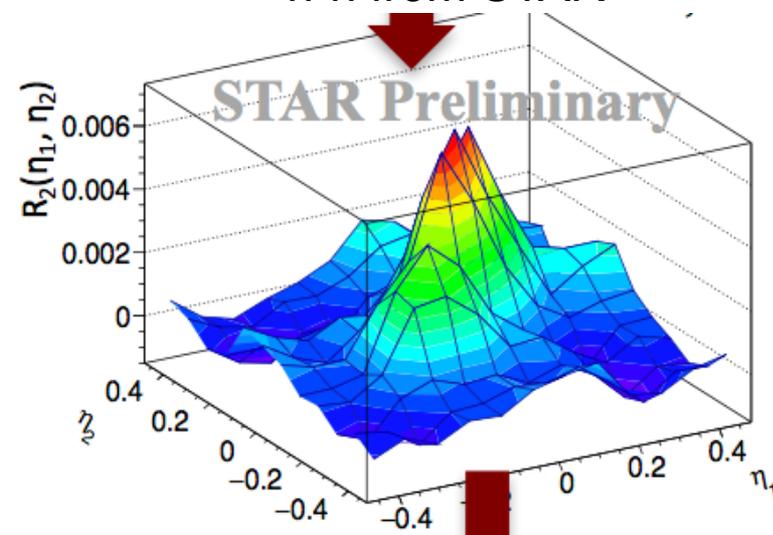
### Baryon-baryon



- Baryons show a strong depletion in the short range region.
- Long-range correlations are consistent.

Coalesce mechanism?

### h-h from STAR



# Some thoughts on AMPT

- AMPT model has wrong short-wave length physics, but still appears to be a good effective long-wave length model.
  - Elastic scattering only, in principle not different from, e.g. cold atom system once the coupling is tuned.
  
- Details of the transport mechanism must be reflected by the non-equilibrium corrections via transport properties.
  
- It would be good to find out observables that are sensitive to these non-equilibrium corrections.
  - Higher  $p_T$  production and correlation, heavy quark diffusion?
  - Flow factorization breaking in  $p_T$
  - Longitudinal flow and multiplicity dynamics.



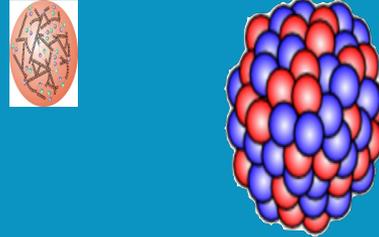
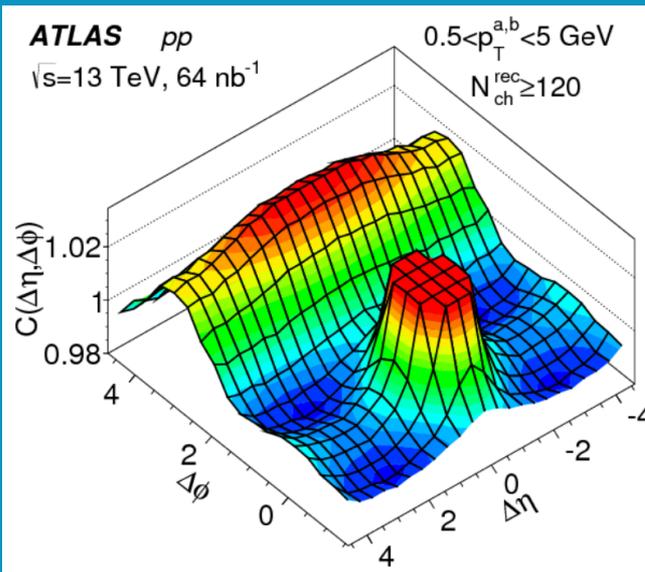
# “Long-range collectivity” in small systems

- What is collectivity?
- How to distinguish initial and final state effects?

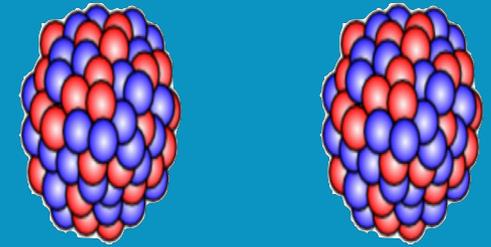
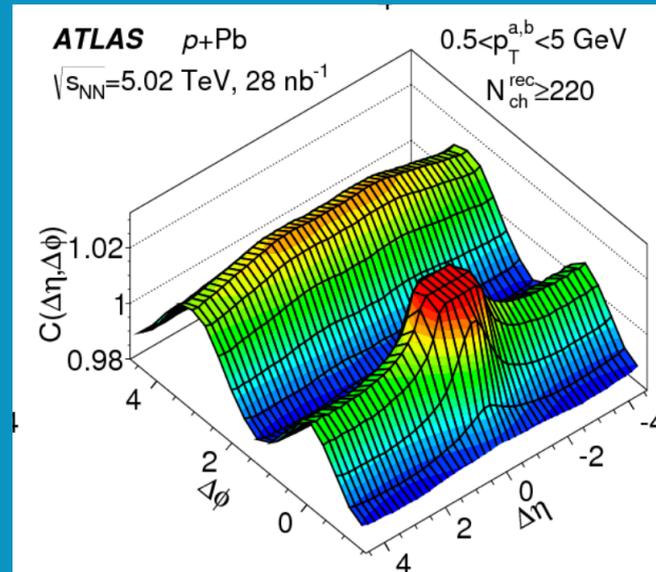
# Long-range collectivity in different systems



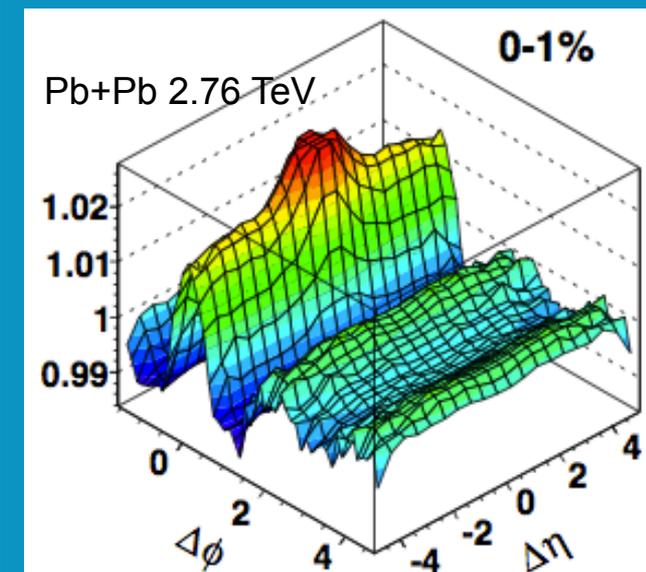
p+p



p+Pb



Pb+Pb



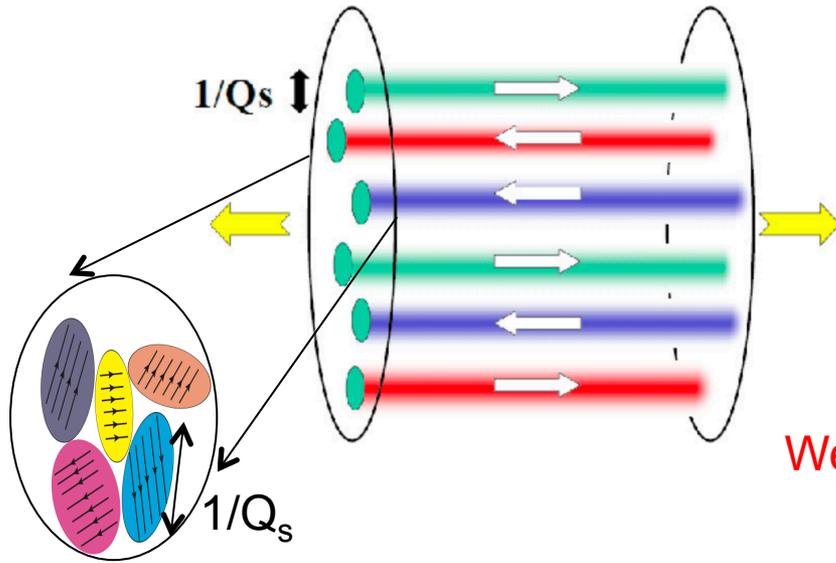
■ Long-range correlation in momentum space comes

- directly from early time  $t \sim 0$  (CGC)
- or it is a final state response to spatial fluctuation at  $t=0$  (hydro).

**What is the timescale for emergence of collectivity?**

# Examples of initial vs final state scenarios

## CGC



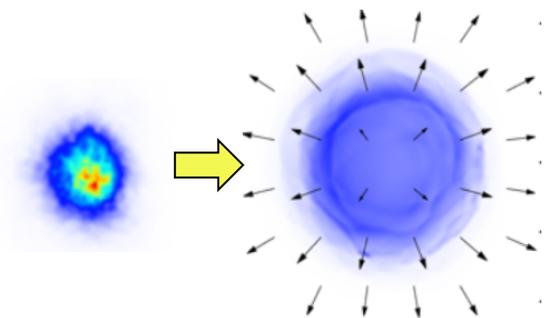
Domain of color fields of size  $1/Q_s$ , each produce multi-particles correlated across full  $\eta$ .

Uncorr. between domains, strong fluct. in  $Q_s$

More domains, smaller  $v_n$ , more  $Q_s$  fluct, stronger  $v_n$

Well motivated model framework, lack systematic treatment

## Hydro



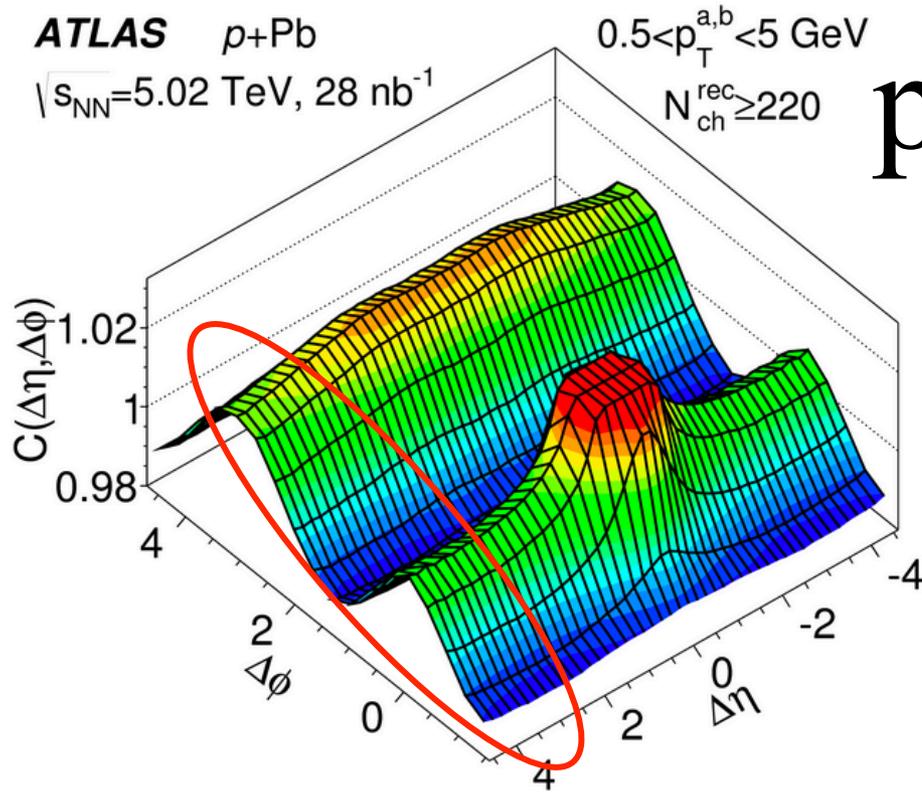
Hot spots (domains) in transverse plane e.g IP-plasma, boost-invariant geometry shape

Expansion and interaction of hot spots generate collectivity

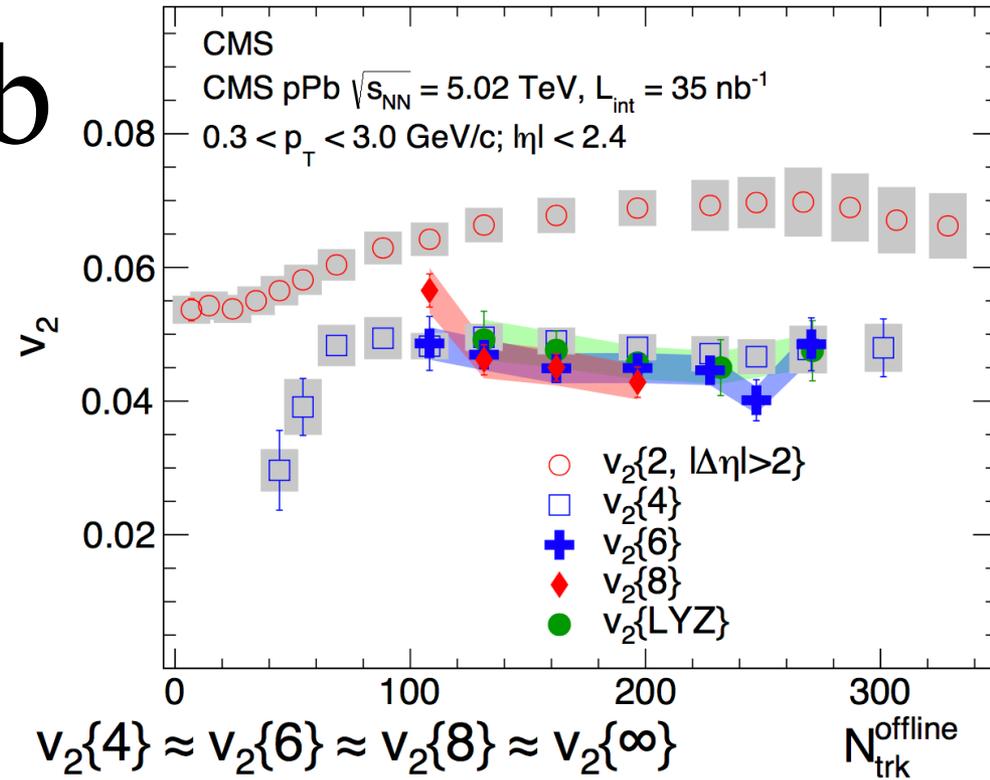
$v_n$  depends on distribution of hot spots ( $\epsilon_n$ ) and transport properties.

Ongoing debate whether hydro is applicable in small systems

# Features of collectivity in HM pPb

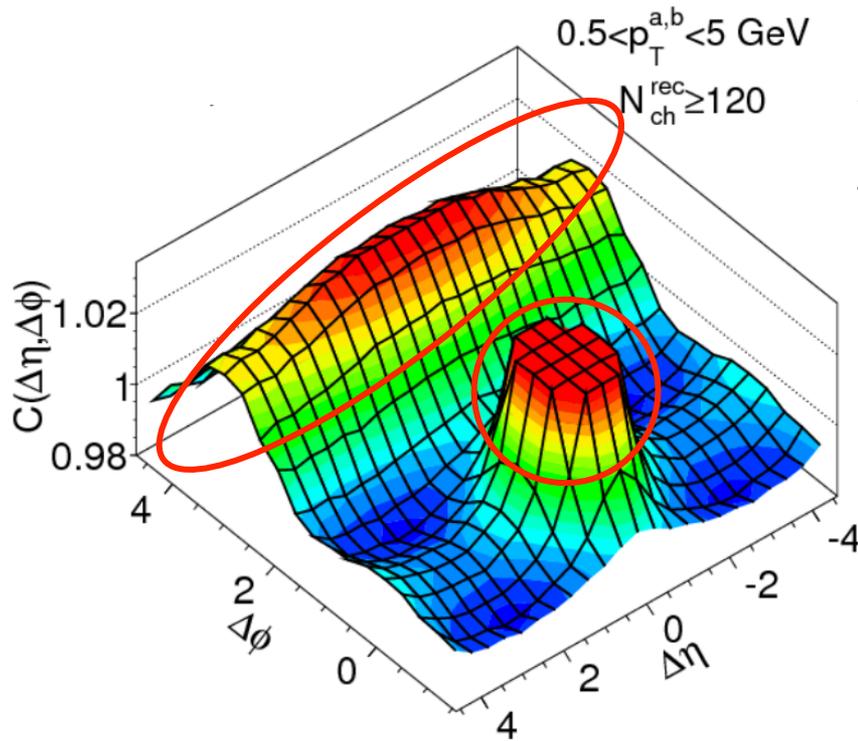


Long-range in  $\eta$

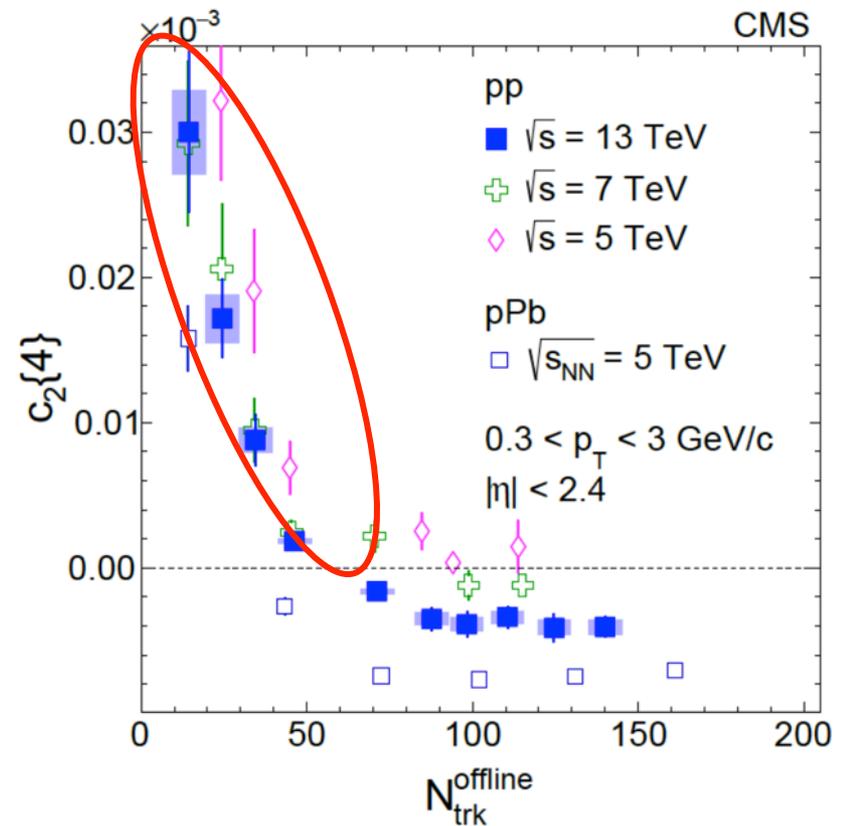


Multi-particle signals

# Features of collectivity in HM pp



pp



Long-range in  $\eta$

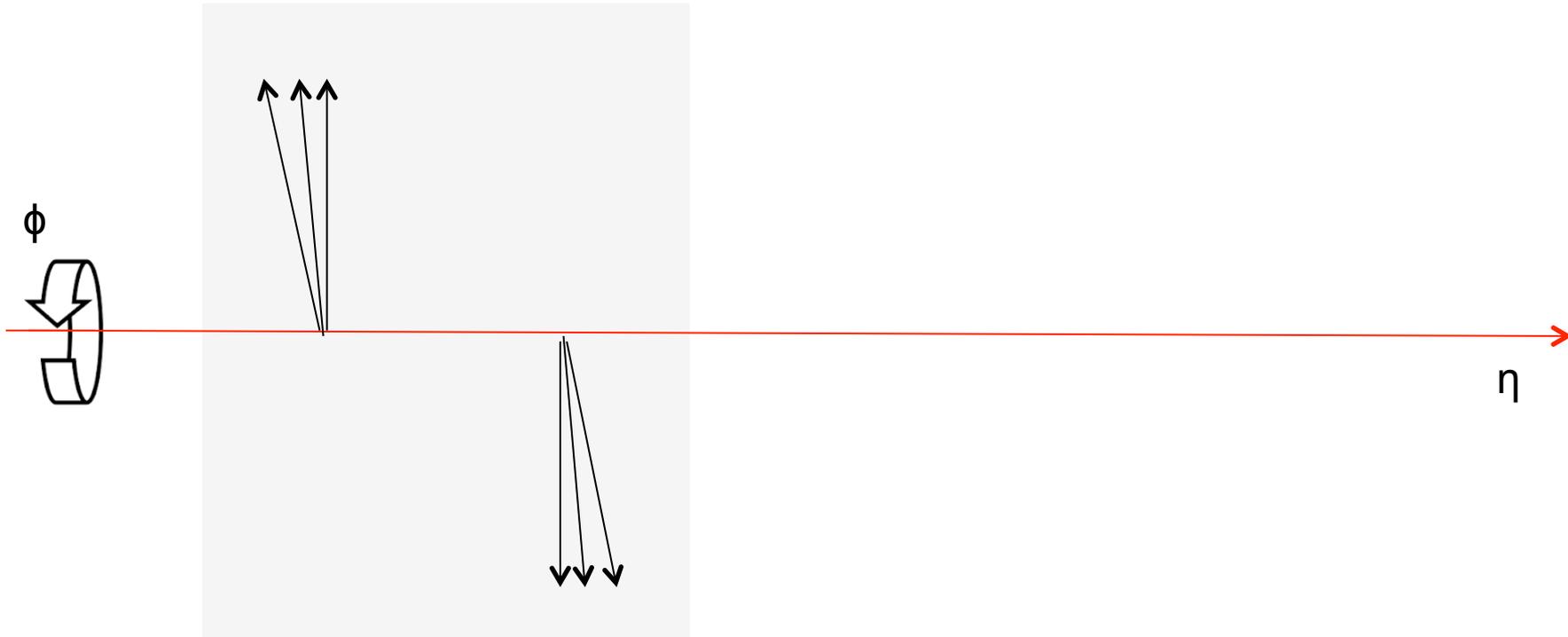
Multi-particle signals

Non-flow can generate long-range (away-jet) or multi-particle correlation (fragmentation) but not both

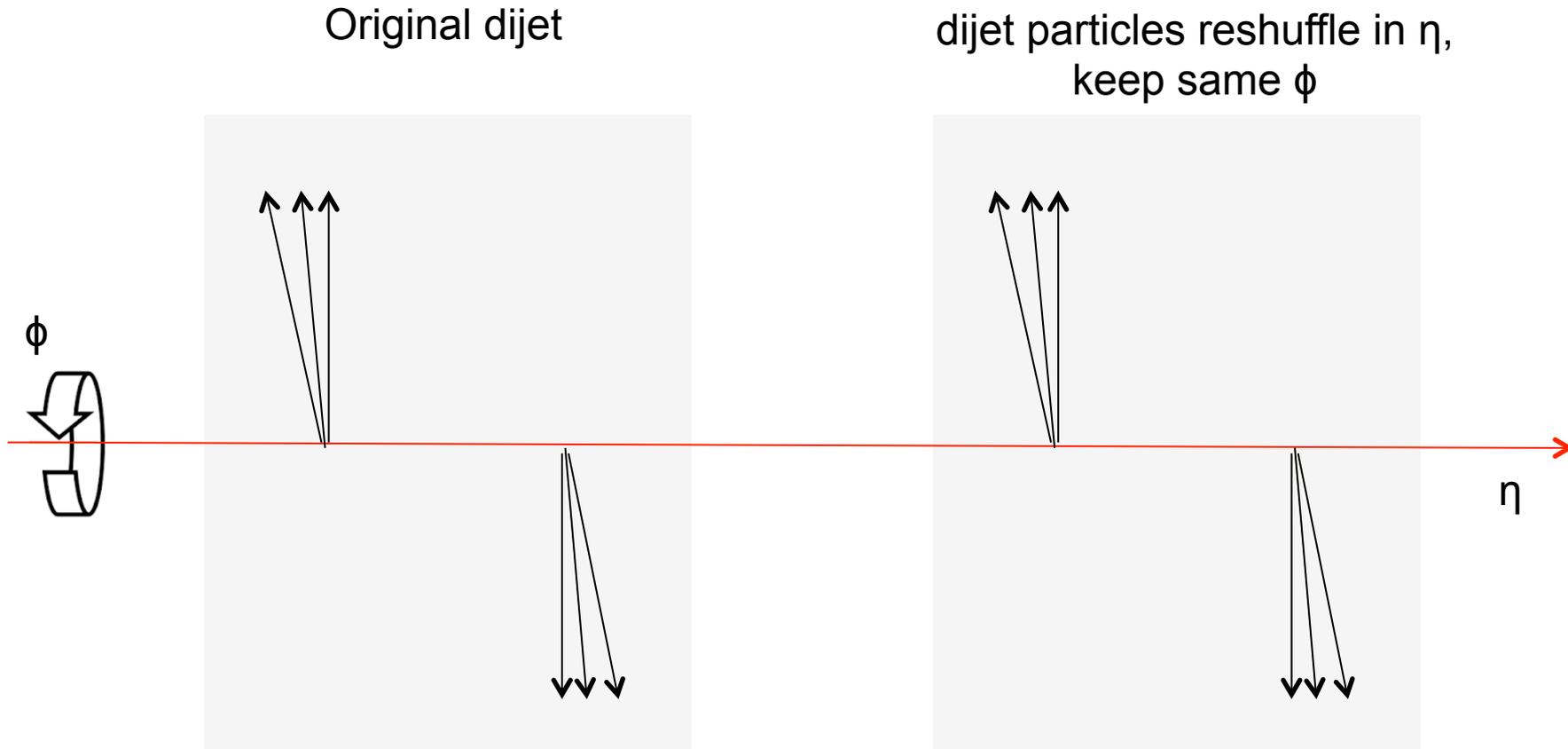
Collectivity must mean both

# Azimuthal correlation from collectivity

Original dijet



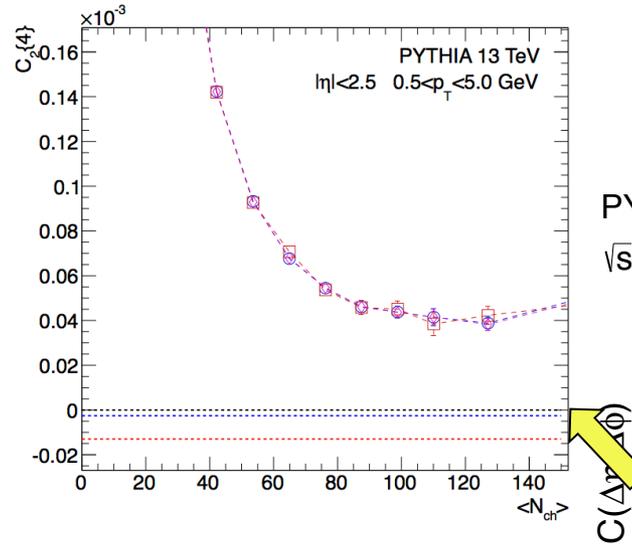
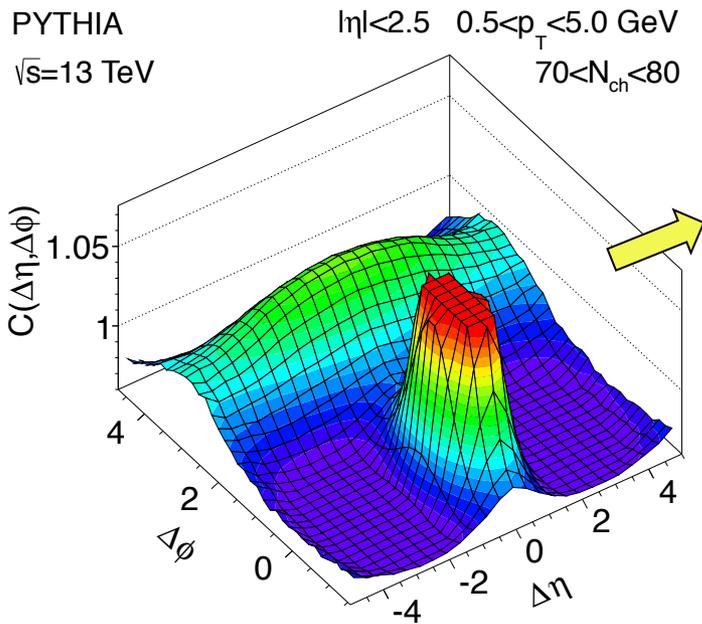
# Azimuthal correlation from collectivity



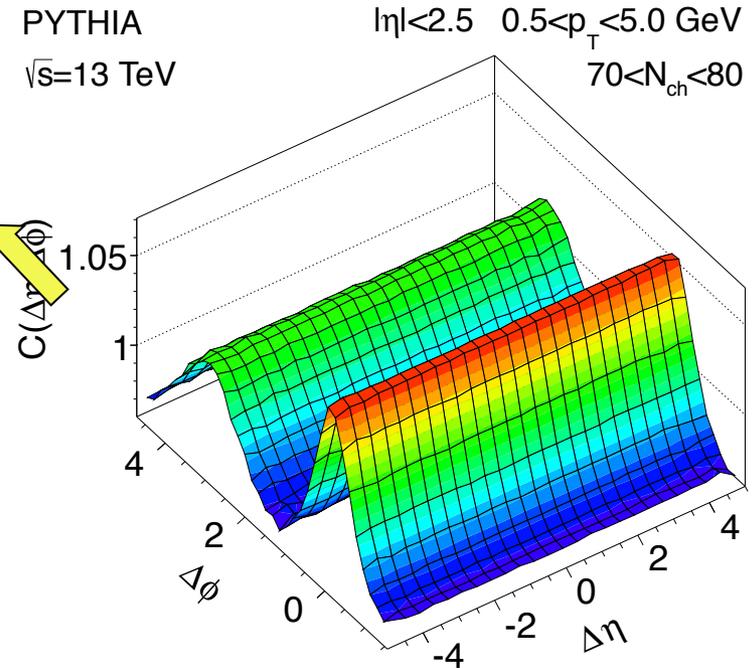
They give the same flow coefficient  $c_n\{4\}$  and  $v_n\{4\}$ , although clearly the first case is **non-flow** and the second case would be classified as **flow**

# Azimuthal correlation from collectivity

original



$\eta$  reshuffled



By mingliang Zhou

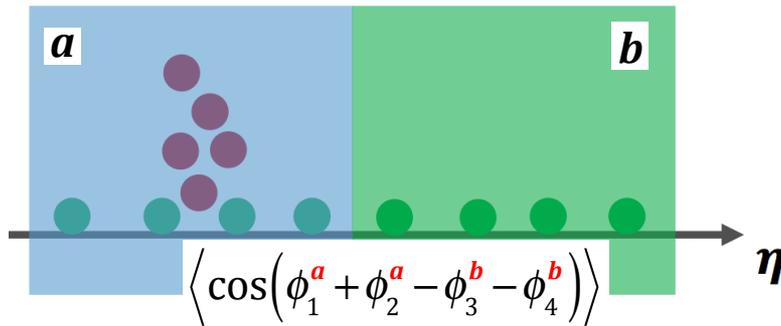
They give the same flow coefficient  $c_n\{4\}$  and  $v_n\{4\}$ , although clearly the first case is **non-flow** and the second case would be classified as **flow**

**Azimuthal corr. alone can't distinguish flow & non-flow.**

# Long-range collectivity via subevent cumulants

arXiv:1701.03830

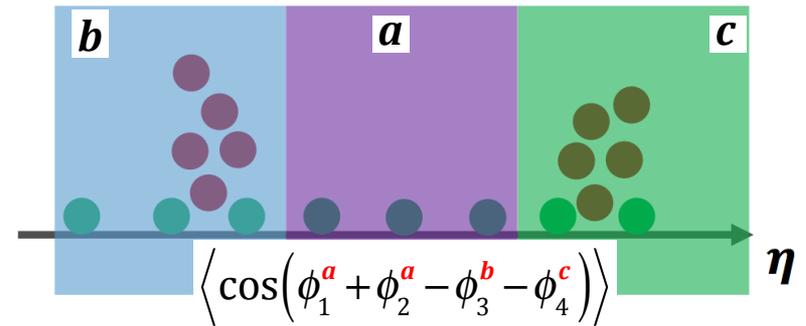
Event with jet



2 sub-event

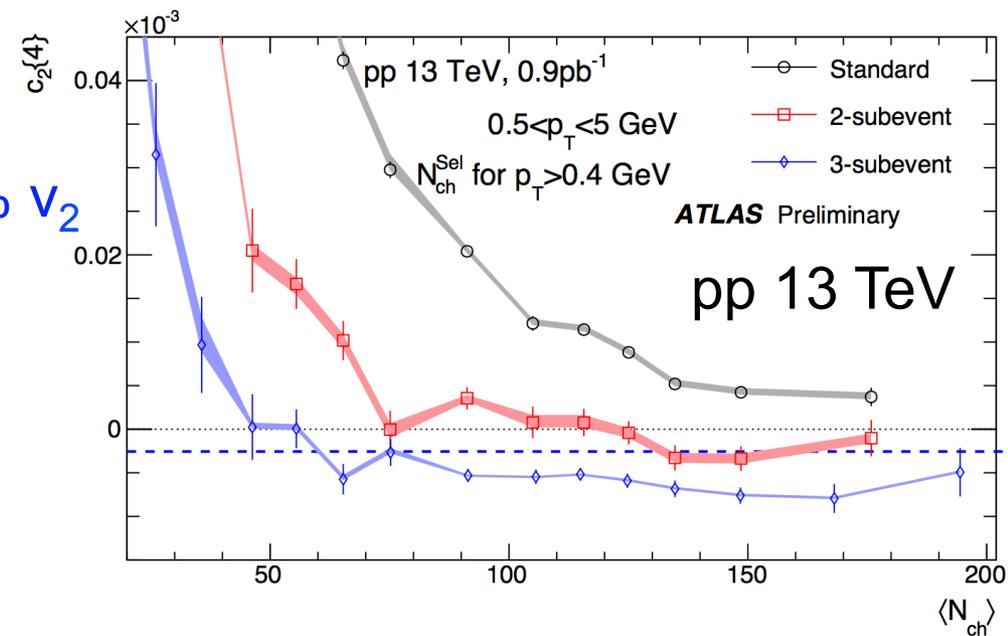
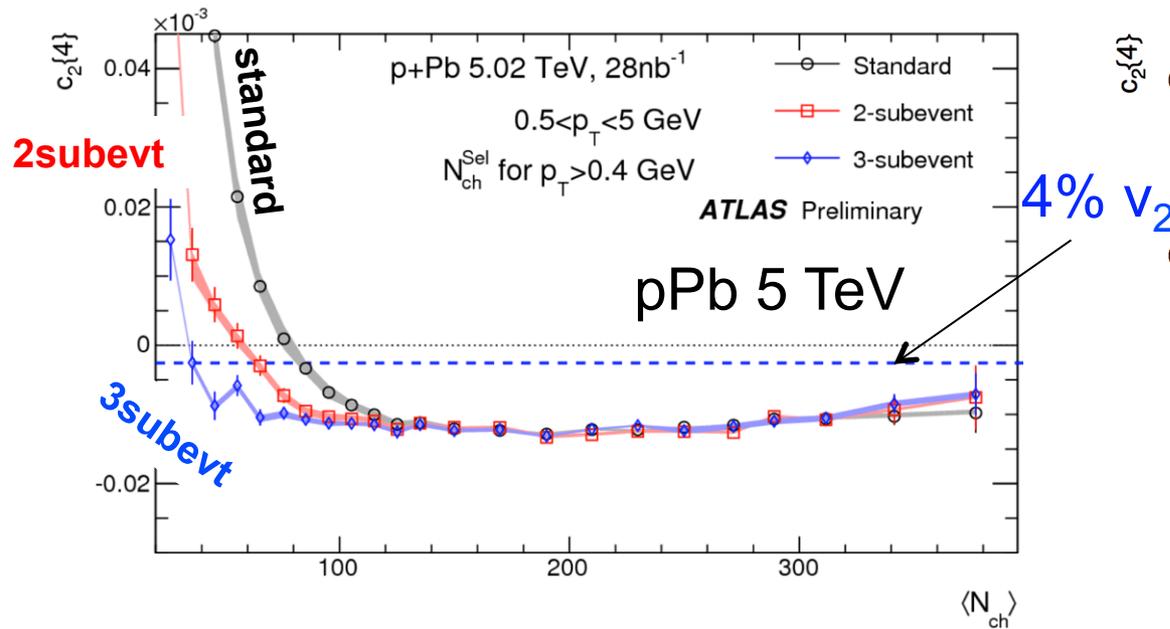
removes intra-jet correlations

Event with dijet



3 sub-event

removes inter-jet correlations



pPb: methods consistent for  $N_{ch} > 100$ , but split below that

pp: Only subevent method gives reliable negative  $c_2\{4\}$  in broad range of  $N_{ch}$

# Sign-change of $c_2\{4\}$

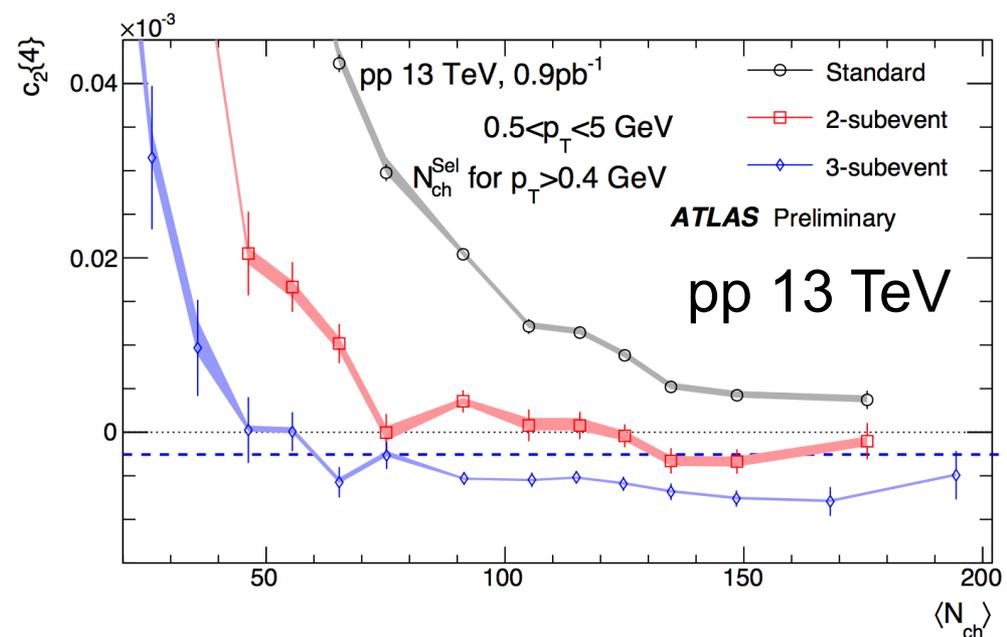
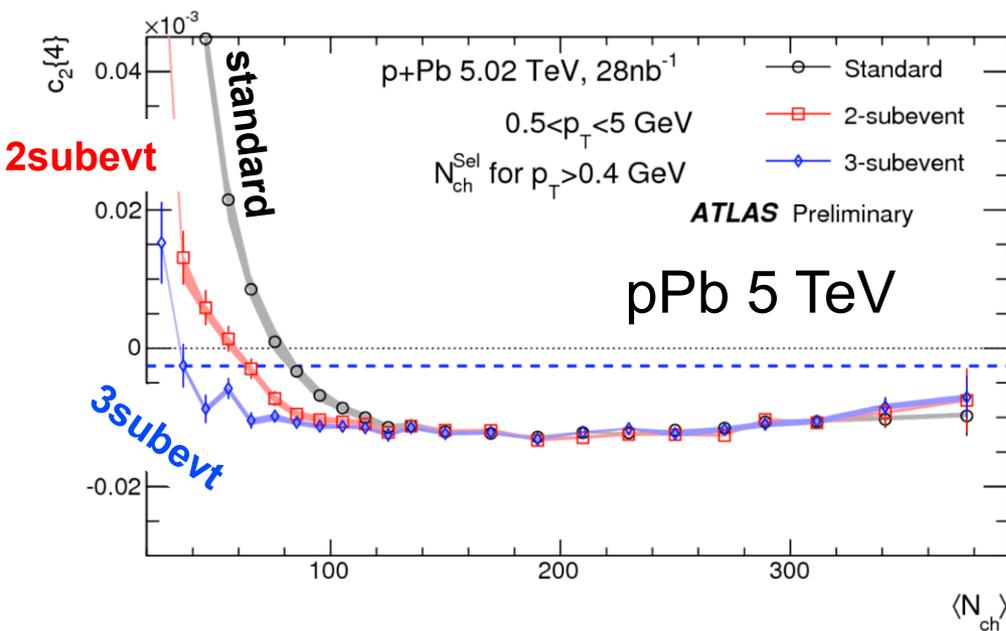
- Most positive  $c_2\{4\}$  in standard cumulants are jets and dijets.
  - Remaining positive  $c_2\{4\}$  in 3-subevent due to residual dijets.

- CGC expect sign-change at low  $N_{ch}$ 

$$c_2\{4\} = \frac{1}{N_D^3} \left( \frac{1}{4(N_c^2 - 1)^3} - A^4 \right)$$

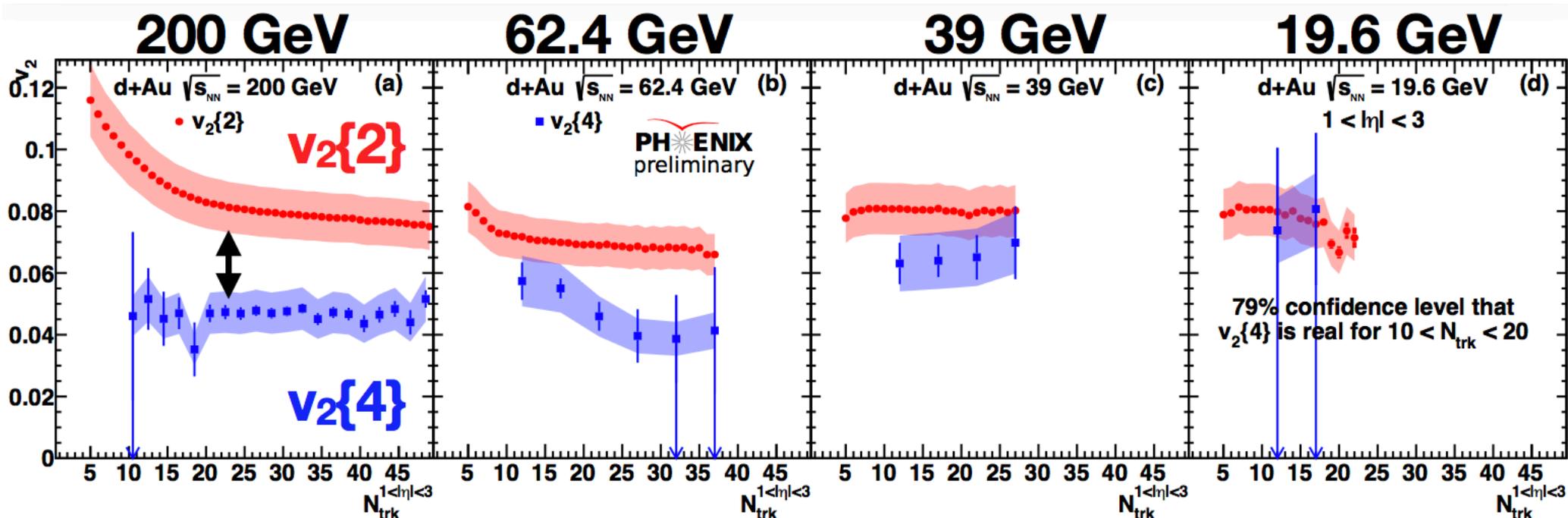
Dumitru, McLerran, Skokov

Glasma diagram
non-linear/non-Gaussian effects



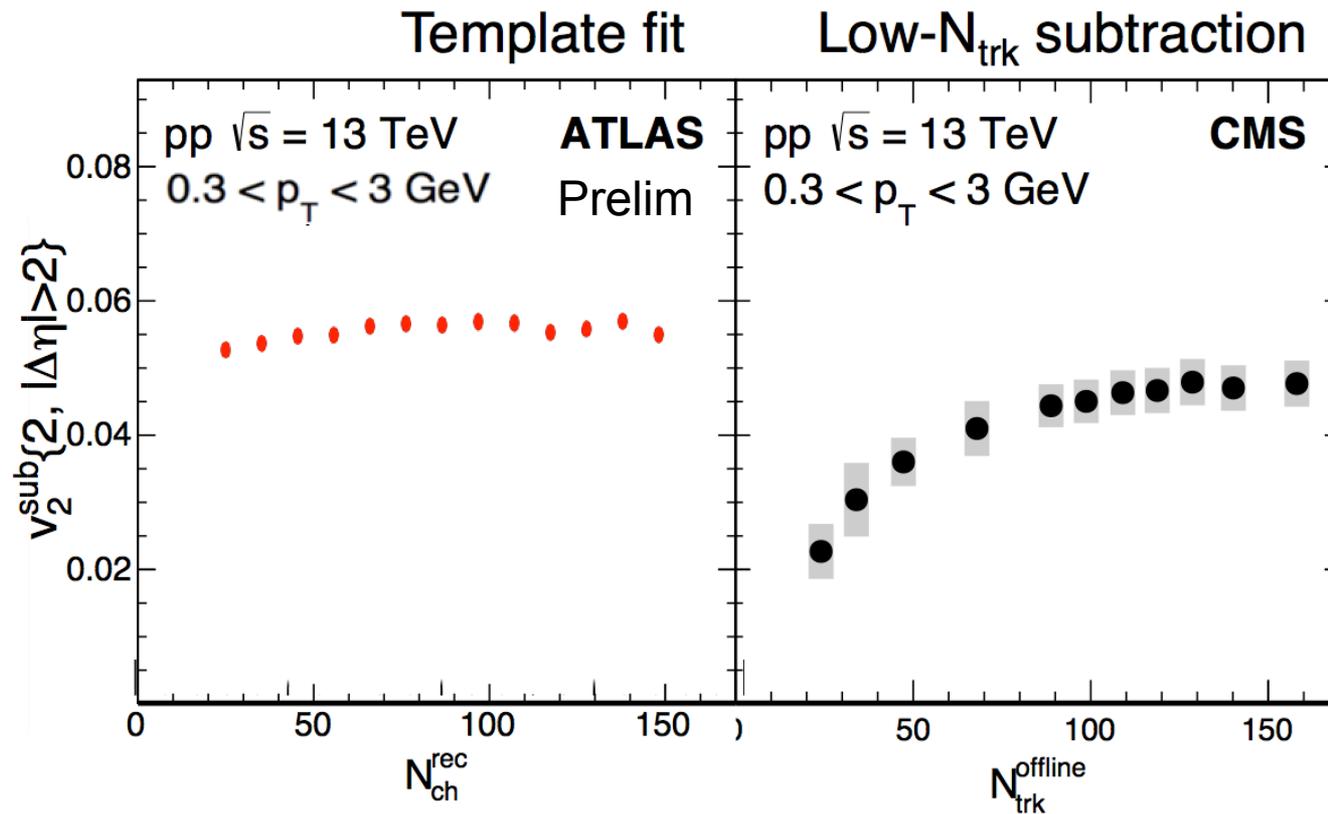
Glasma diagram contribution is small?

# $\sqrt{s}$ dependence of $v_2\{4\}$ at RHIC



- Surprising features:  $v_2\{4\}$  larger at lower  $\sqrt{s}$ , reaching  $v_2\{2\}$ .
- Difficult to describe in both CGC and hydro
- Important to understand non-flow in standard cumulant method

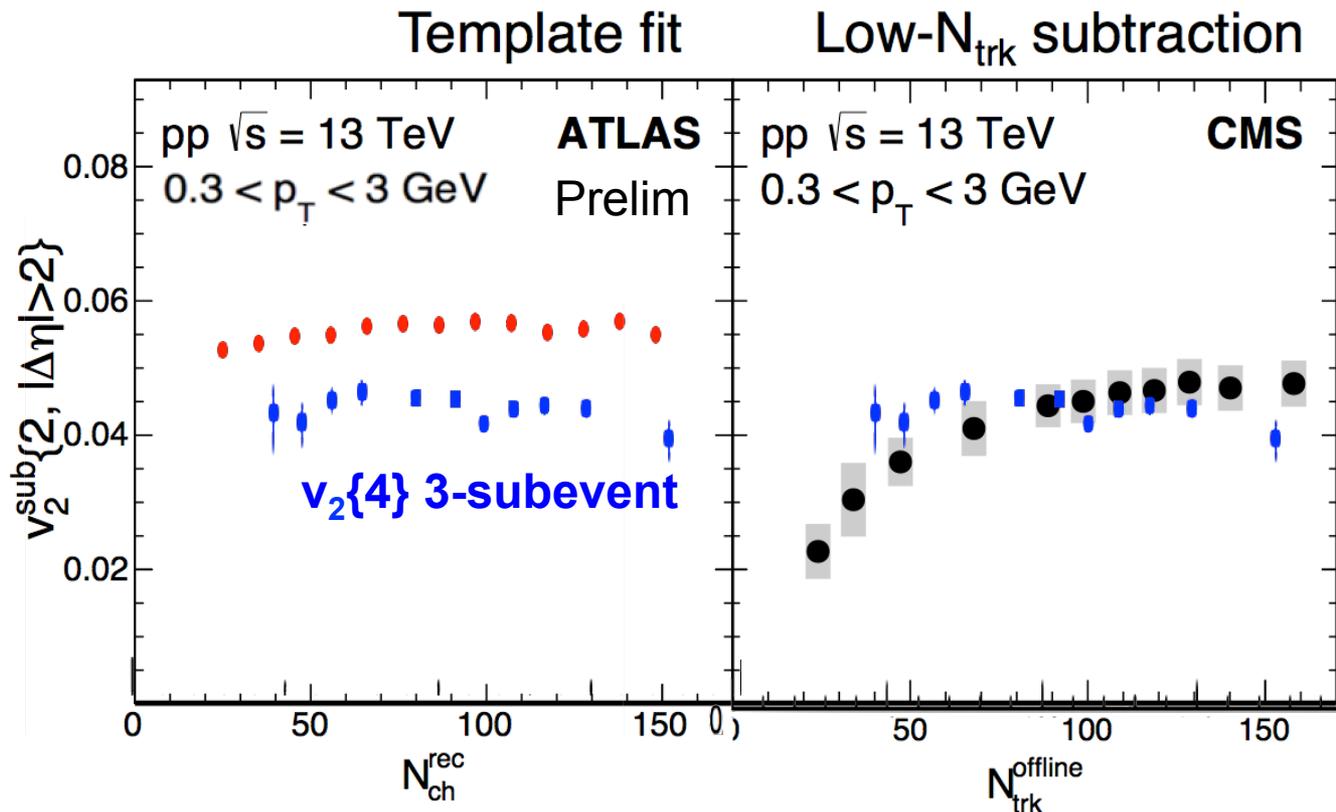
# Does collectivity turn off at low $N_{ch}$ ?



peripheral subtraction including peripheral pedestal (assuming the peripheral also has flow)  
 → so called template fit

peripheral subtraction **not** including peripheral pedestal (assuming the peripheral has **no** flow)  
 → so call peripheral sub.

# Does collectivity turn off at low $N_{ch}$ ?



- $v_2\{4\}$  from 3-subevent show no dependence on  $N_{ch}$ .
- Why  $v_2\{2\}_{peri. sub} \approx v_2\{4\}$  in pp? surprising because:

$$v_n\{2\}^4 - v_n\{4\}^4 = \langle v_n^4 \rangle - \langle v_n^2 \rangle^2 = \langle (v_n^2 - \langle v_n^2 \rangle)^2 \rangle \geq 0$$

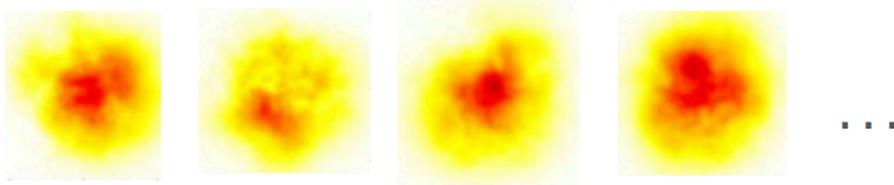
$v_2\{4\}$  also shows No hint of collectivity turning-off at low  $N_{ch}$ !

**Challenge both CGC and standard hydro?**

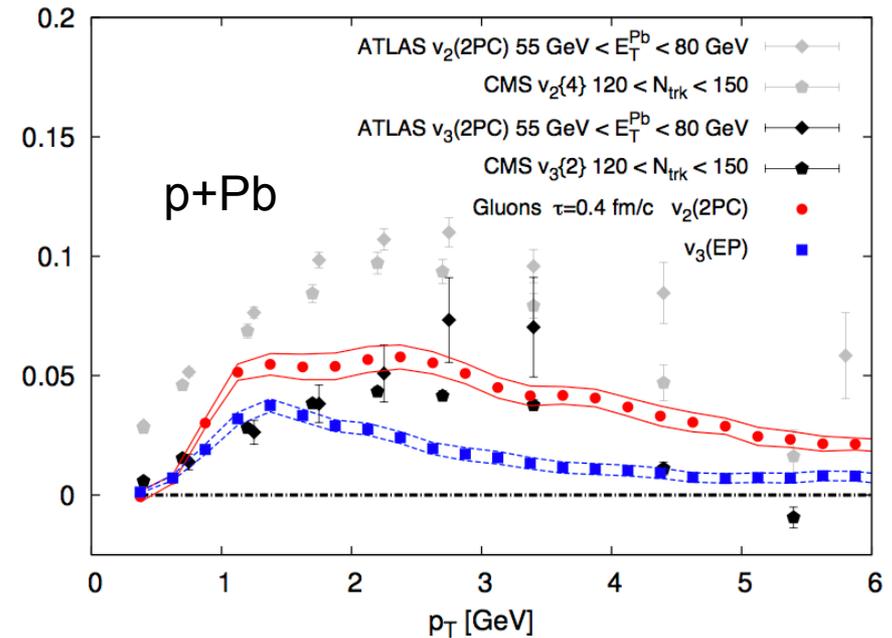
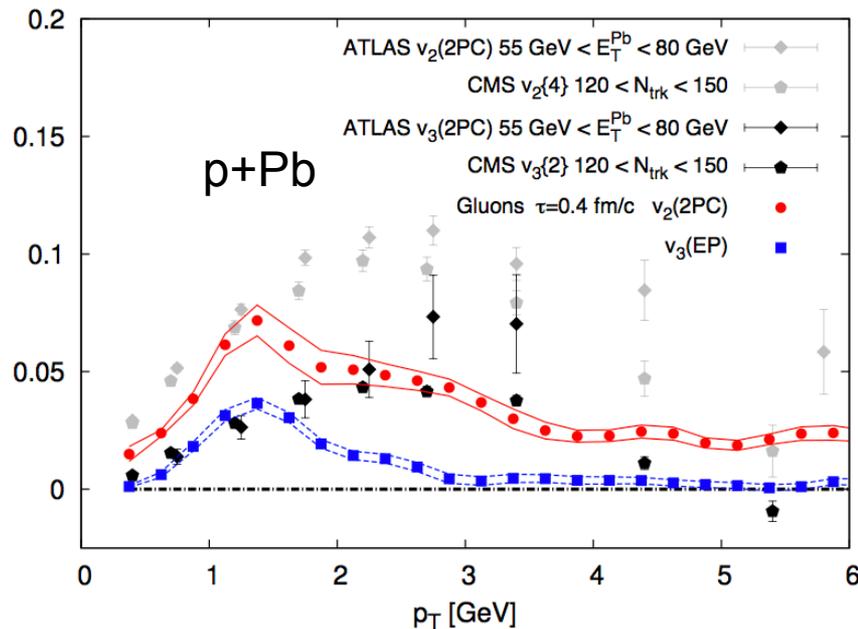
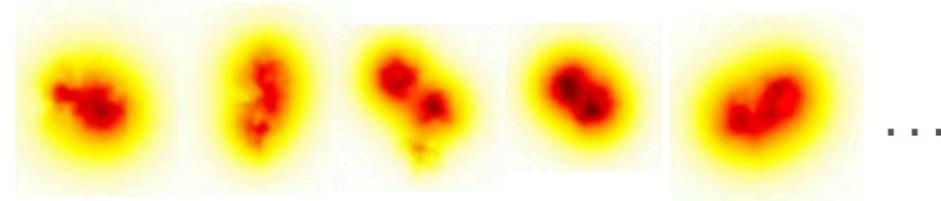
# Role of initial geometry is very different

From Schenke, Schlichting, Venugopalan,

'Spherical' proton



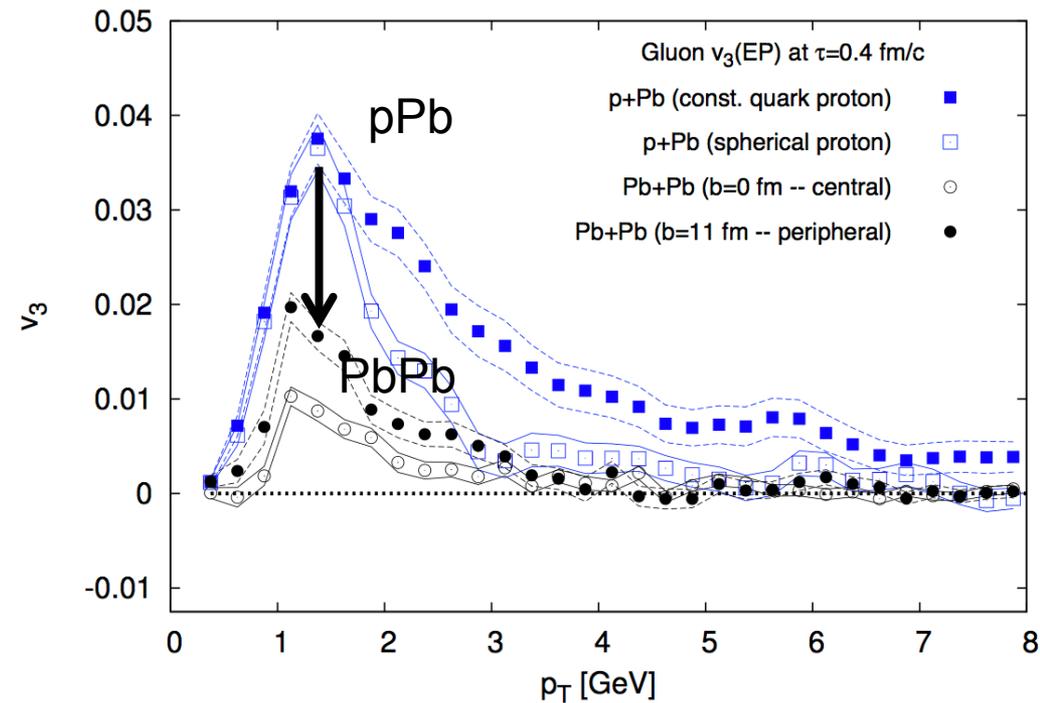
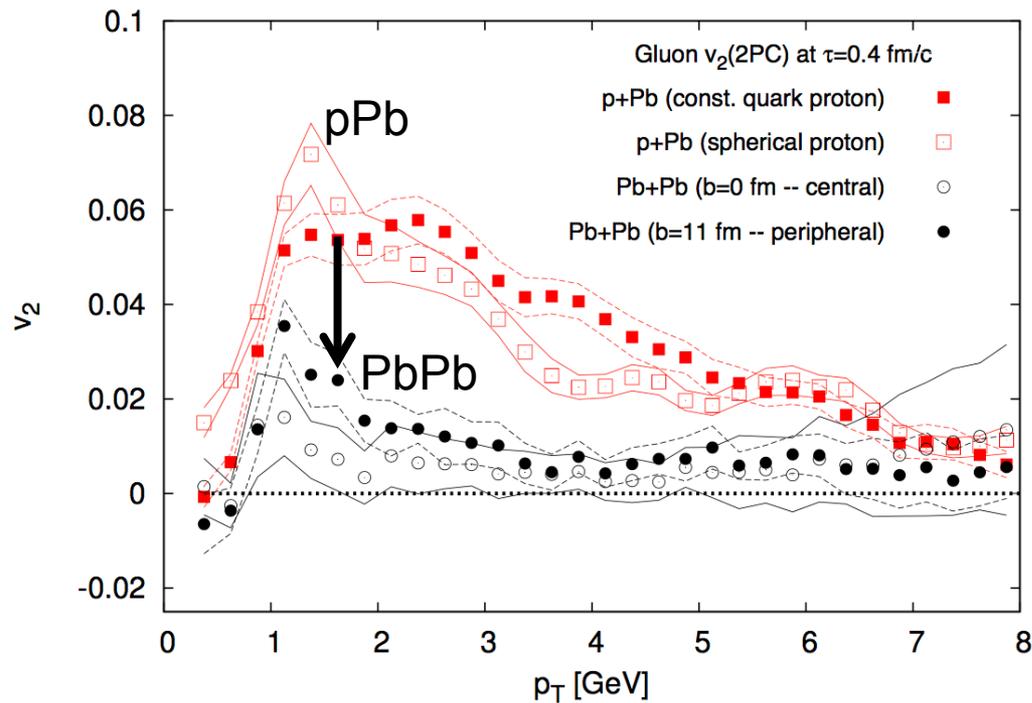
'Eccentric' proton



The orientation of collectivity is unrelated to initial eccentricity  
 → Very different from hydrodynamics

# Role of initial geometry is very different

From Schenke, Schlichting, Venugopalan,



$$c_2\{4\} = \frac{1}{N_D^3} \left( \frac{1}{4(N_c^2 - 1)^3} - A^4 \right)$$

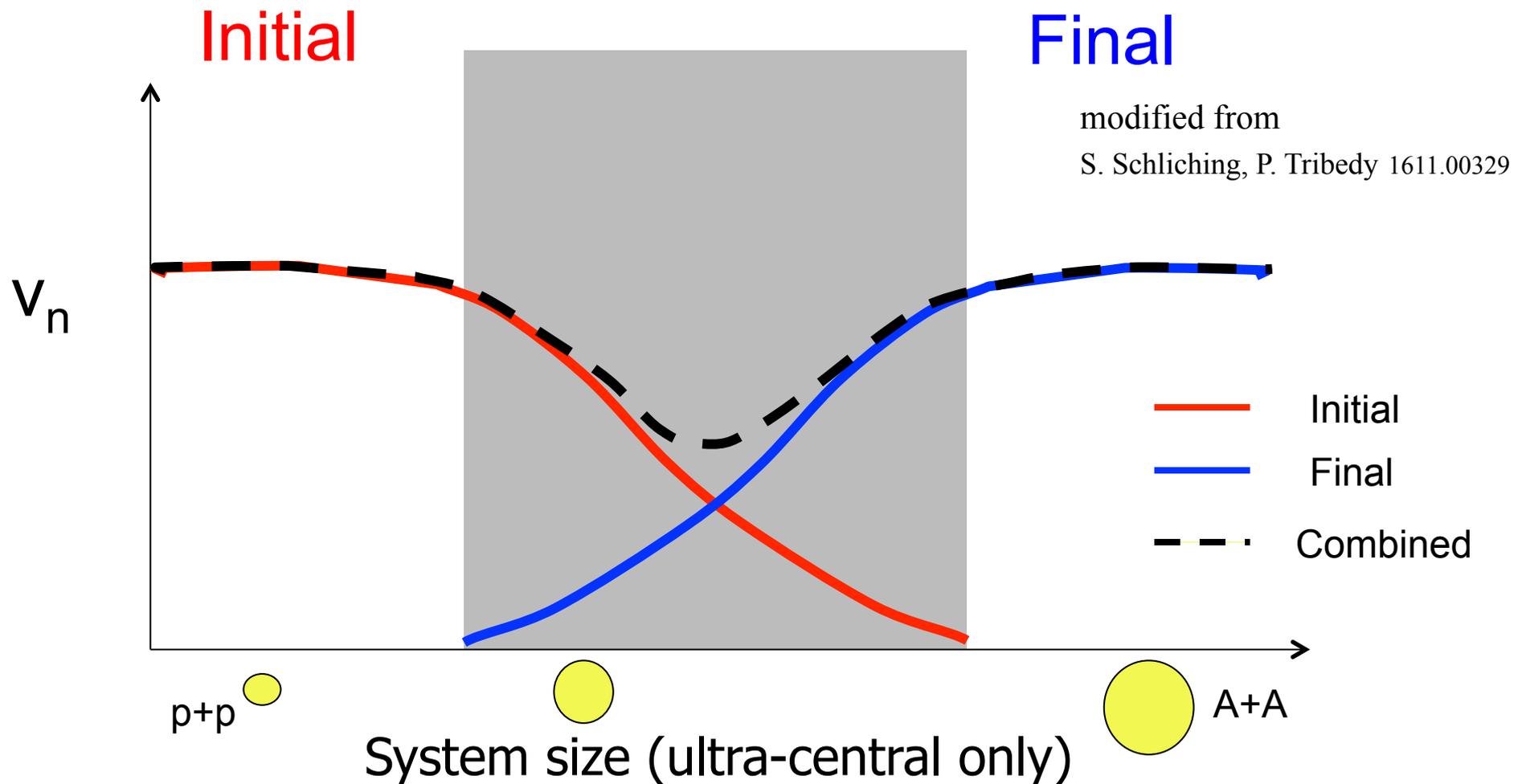
The orientation of collectivity is unrelated to initial eccentricity

→ Very different from hydrodynamics

Expect contribution diminish as system size is increased

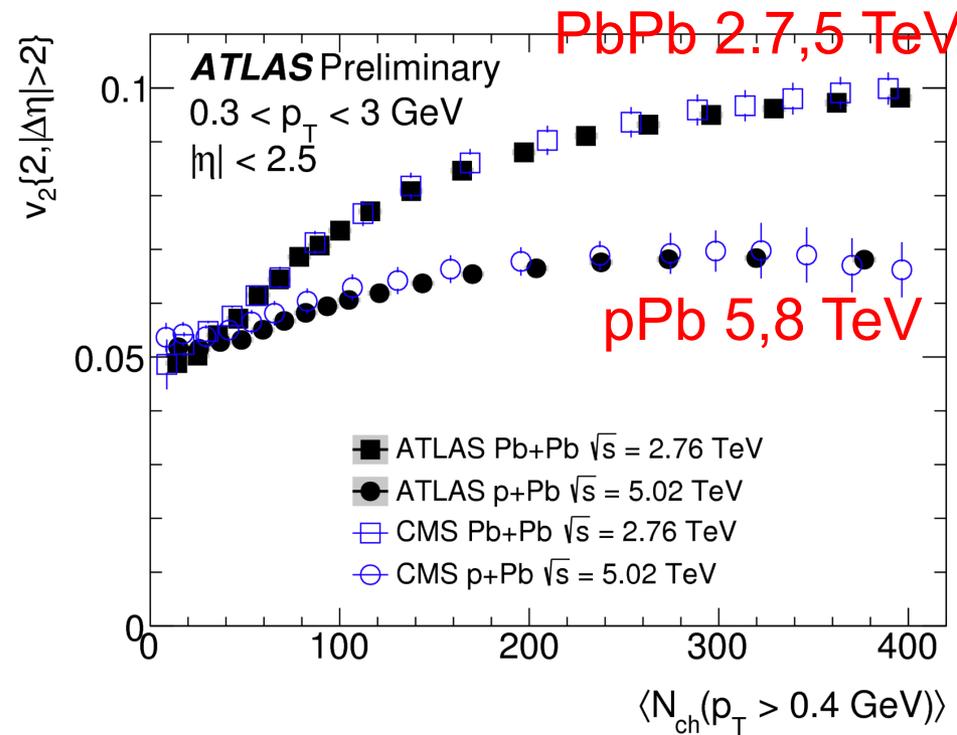
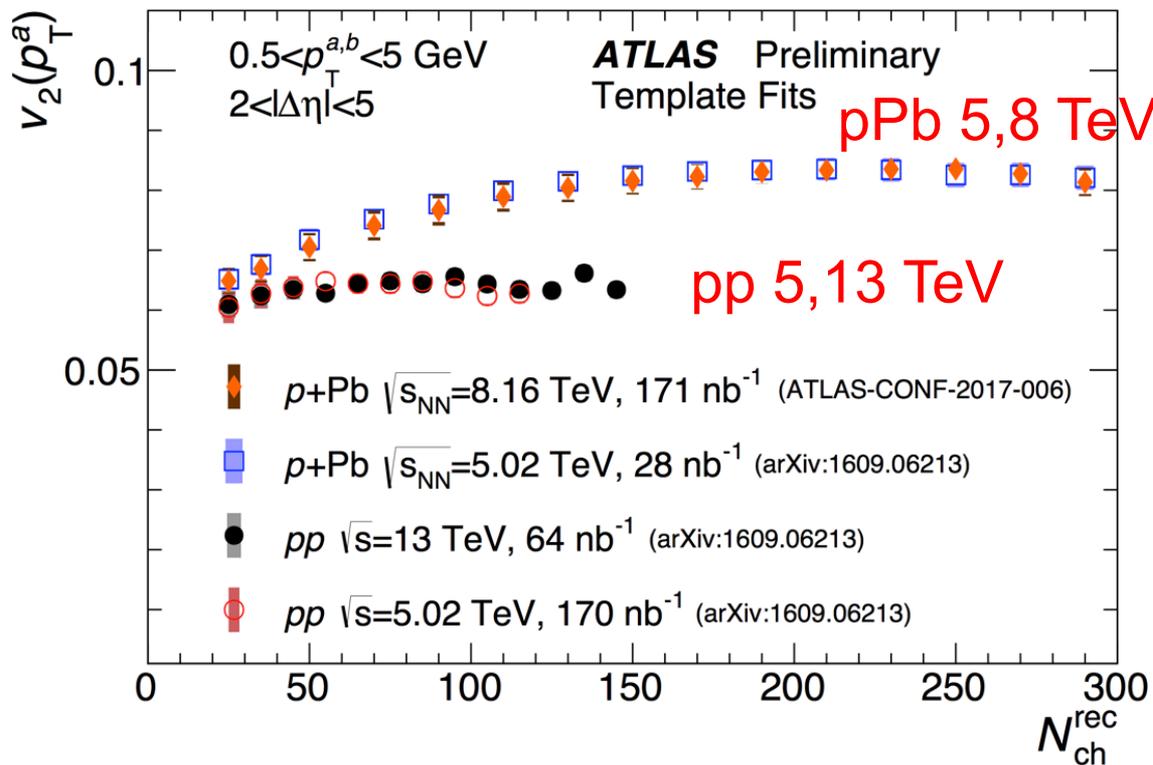
# Presence of both initial and final state scenarios?

27



Phases of collectivity from CGC and hydro are unrelated  
→ a minimum of total  $v_n$  at certain system size?

# System size dependence



Clear dependence on collision systems but  $\sim$ no dependence on  $\sqrt{s}$

$$v_2^{pp}(\text{high-mul}) < v_2^{pPb}(\text{low-mul})!$$

**CGC** Unclear if the pp/pPb hierarchy is expected.

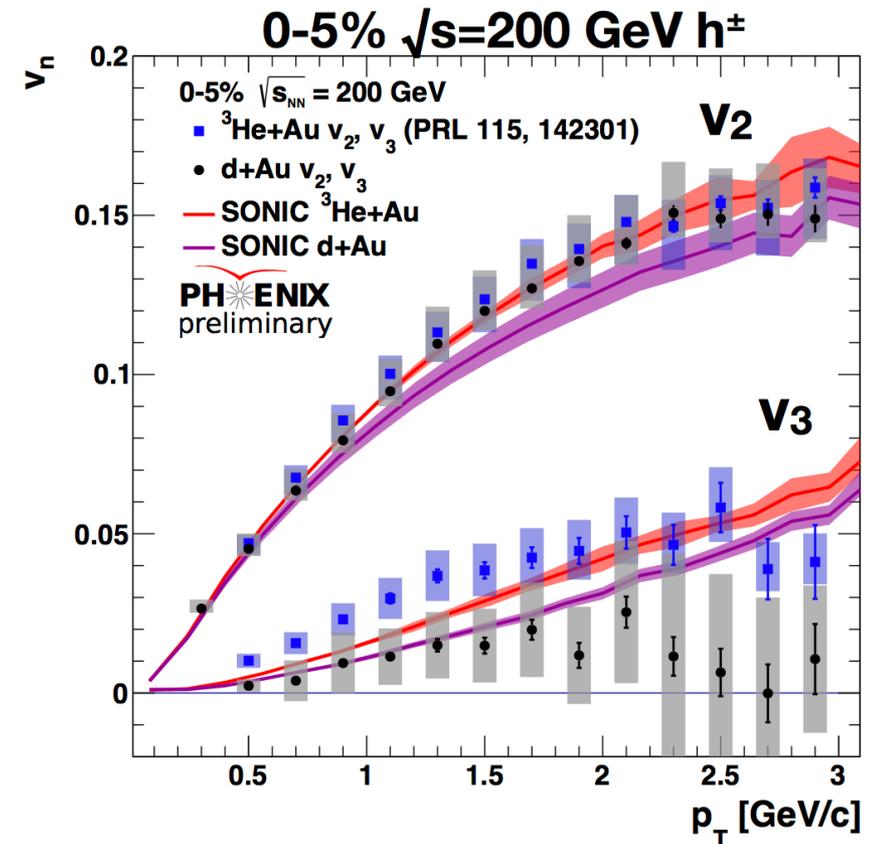
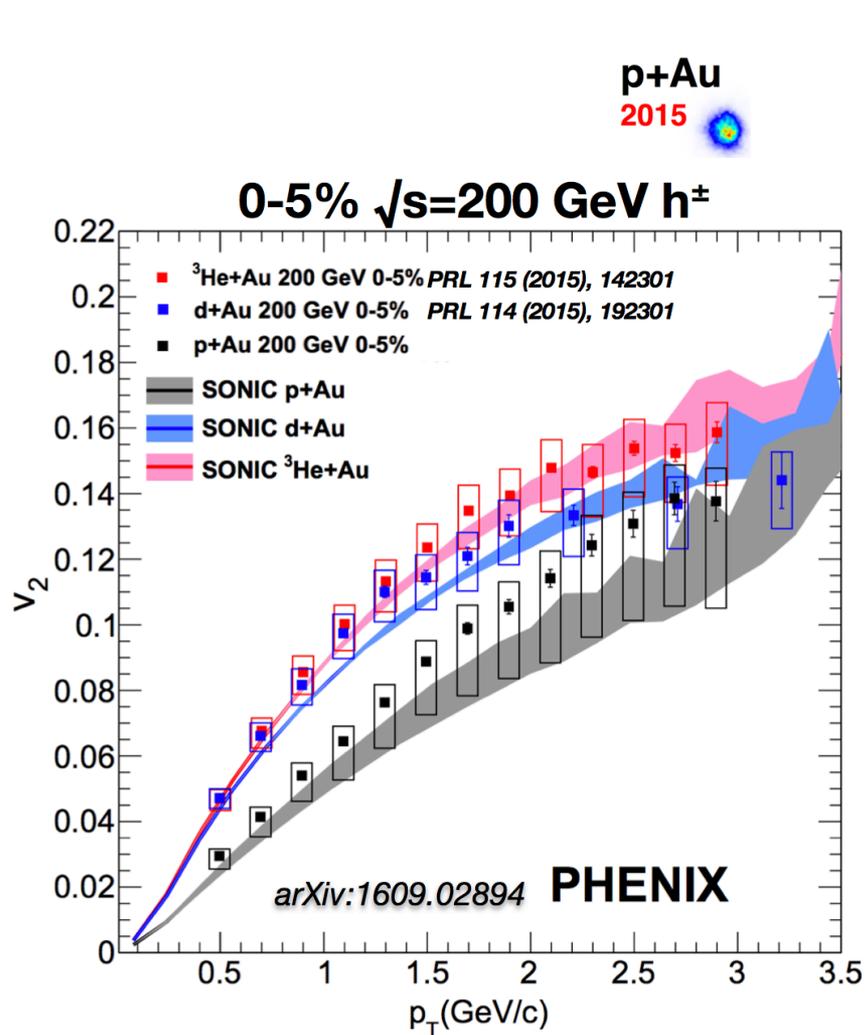
Interplay between viscous damping and initial  $\epsilon_n$

**Hydro**

pPb: may see an average geometry effect

pp: geometry maybe poorly correlated with  $N_{ch}$ .

# Geometry scan at RHIC



$$v_2^{pAu} < v_2^{dAu} \leq v_2^{HeAu}$$

$$v_3^{dAu} < v_3^{HeAu}$$

Hierarchy compatible with initial geometry + final state effects  
 Look forward to the CGC predictions

# Summary of collectivity in small system

- Collectivity associated with ridge must involve many particles in multiple  $\eta$  ranges  $\rightarrow$  subevent methods

Challenge for both initial & final state scenarios?

- LHC  $v_2$  associated with ridge does not turn off at low  $N_{\text{ch}}$ .
- RHIC  $v_2\{4\}$  increases and approaches  $v_2\{2\}$  at lower  $\sqrt{s}$

Challenge for initial state only scenarios?

- LHC  $v_2^{\text{pp}} < v_2^{\text{pPb}}$  in all  $N_{\text{ch}}$  and all  $\sqrt{s}$ .
- LHC  $c_2\{4\} < 0$  down to very low  $N_{\text{ch}}$  and more negative at higher  $p_T$ .
- RHIC geometry scan suggest ordering of  $v_n$  follows that of  $\varepsilon_n$ .

...

Coexistence of initial state & final state scenarios?

**Key issue: How to constrain timescales for emergence of collectivity?  
the role of CGC, preflow and hydro?**